



上海交通大学

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Constructing the connection between dark matter halos and emission line galaxies (ELGs)

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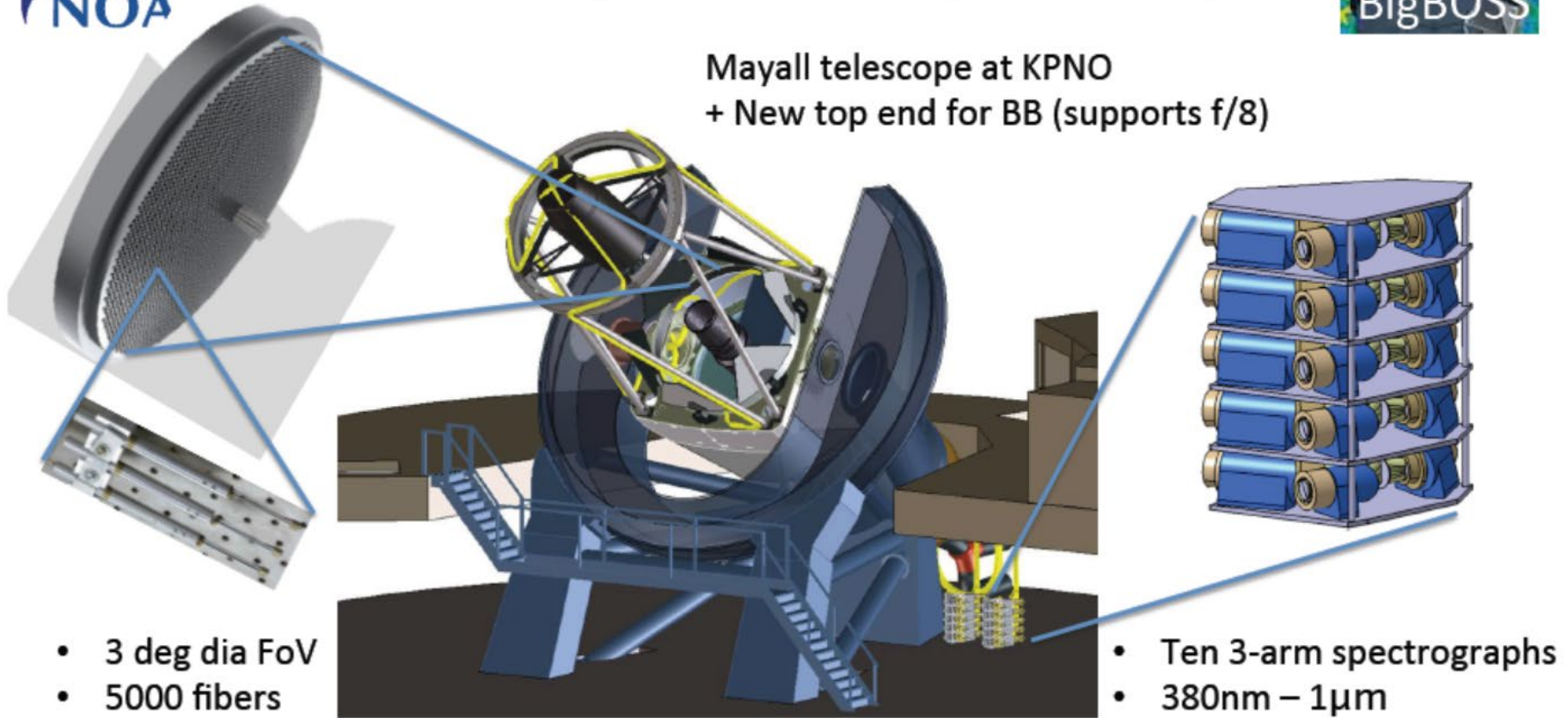
DESI--Dark Energy Spectroscopic Instrument



DESI Capability



Mayall telescope at KPNO
+ New top end for BB (supports f/8)



Nearly 40,000 spectra per night!!

See Natalie Roe's talk!



DESI 光谱观测样本

Summary: A new baseline

SV3 LRG	0.3–1.0	$g,r,z,W1$	600	565	500	7.0 M
SV3 ELG	0.6–1.6	g,r,z	1950	1420	910	12.7 M
SV3 QSO (tracers)	< 2.1	$g,r,z,W1,W2$	210	210	140	1.96 M
SV3 QSO (Ly- α)	> 2.1	$g,r,z,W1,W2$	100	295	60	0.84 M
Total in dark time			2860	2490	1619	22.5 M
SV3 BGS	0.05–0.4	r (Gaia G)	860	688	678	9.5 M
SV3 BGS–Faint	0.05–0.4	r (Gaia G)	540	324	317	4.4 M
SV3 MWS	0.0	g,r (Gaia μ)	800+	720	720	10.1 M
Total in bright time			2200+	1732	1715	24.0 M

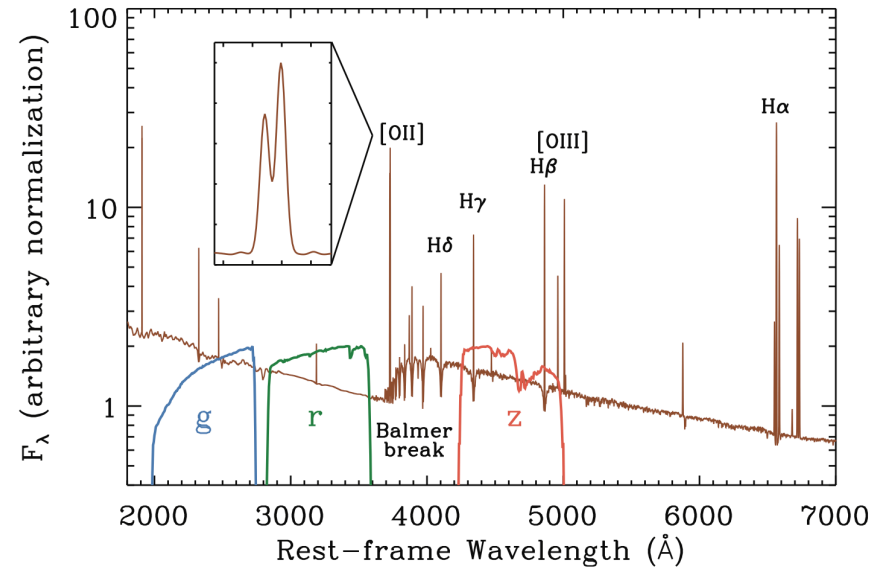
观测样本巨大：3000万+ 河外天体
但是 LRG、ELG、QSO都是选择性很强的样本
它们与暗物质分布之间的关系？



Emission line galaxies (ELGs) vs host DM halos

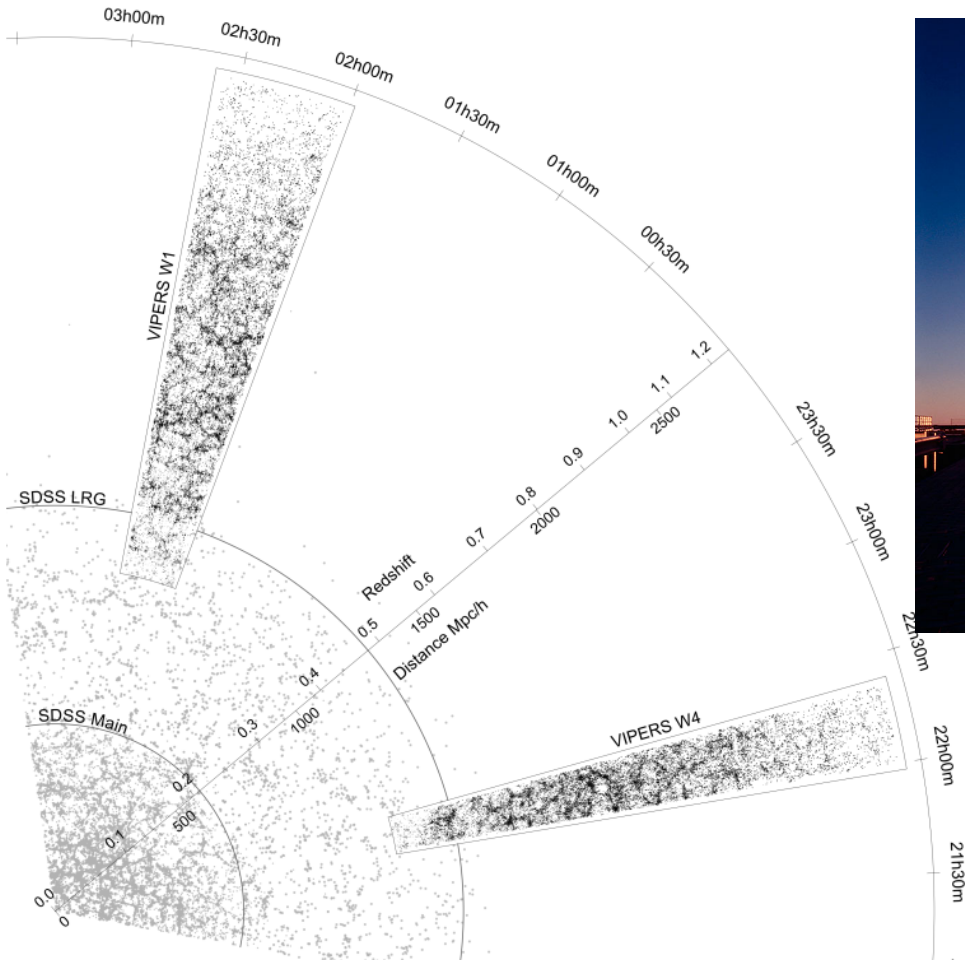
- ELGs are the main target of DESI, PFS, Euclid, Roman
- They have strong OII lines that can be detected with a resolution 3000-5000
- The relation important for cosmology and galaxy formation

- An optical spectrum of a typical Emission Line Galaxy (ELG)





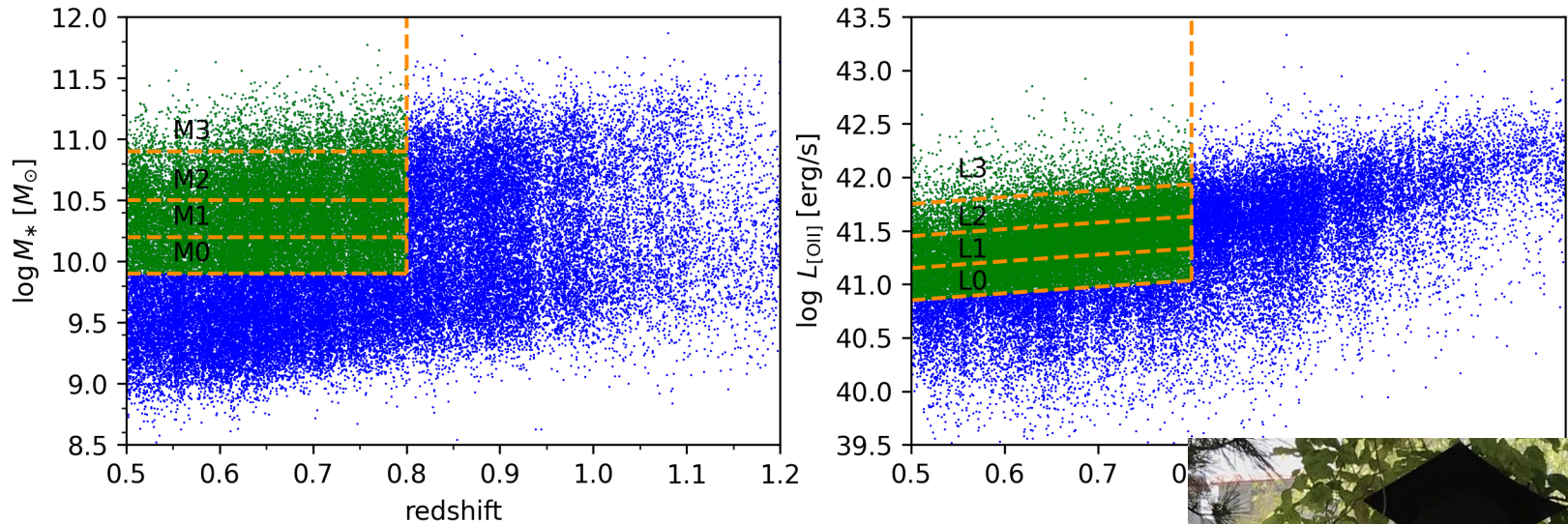
VIMOS Public Extragalactic Redshift Survey (VIPERS) at VLTs





Subsamples used

- 4 samples divided by stellar mass (normal galaxies)
- 4 samples divided by OII luminosity (ELGs)

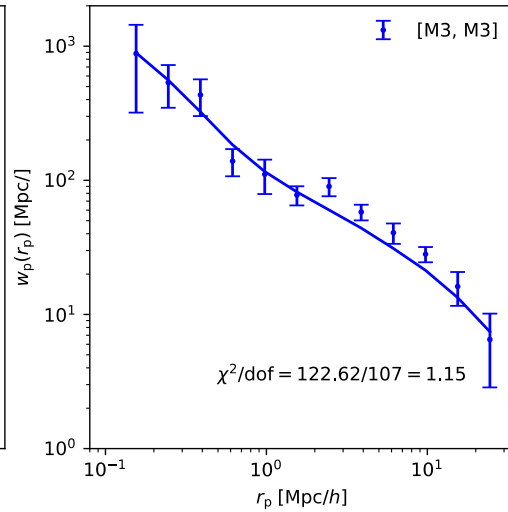
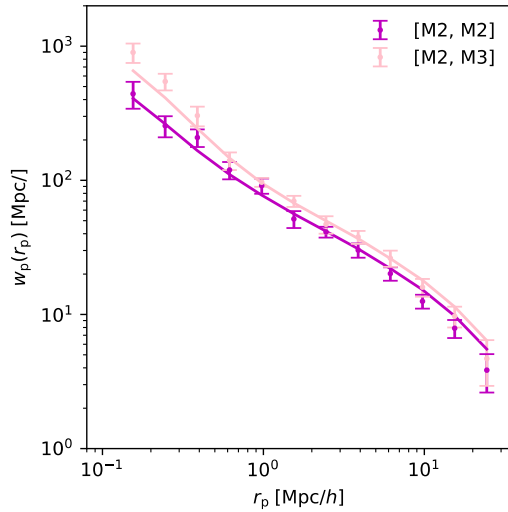
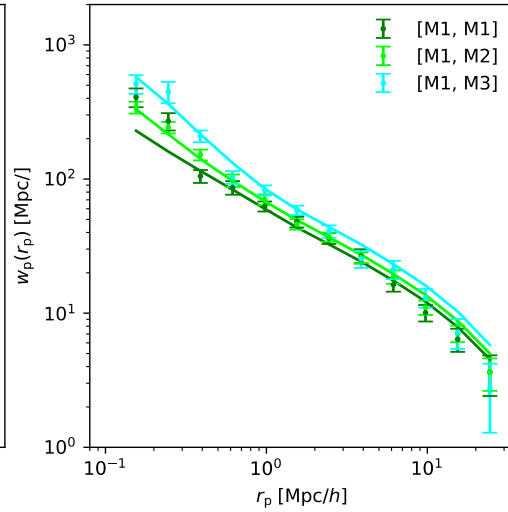
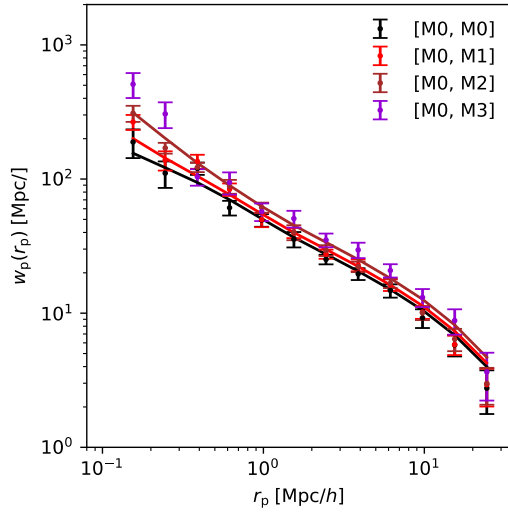


**Hongyu Gao (高鸿宇) , YPJ, Yun Zheng,
Kun Xu, ApJ (2022)**

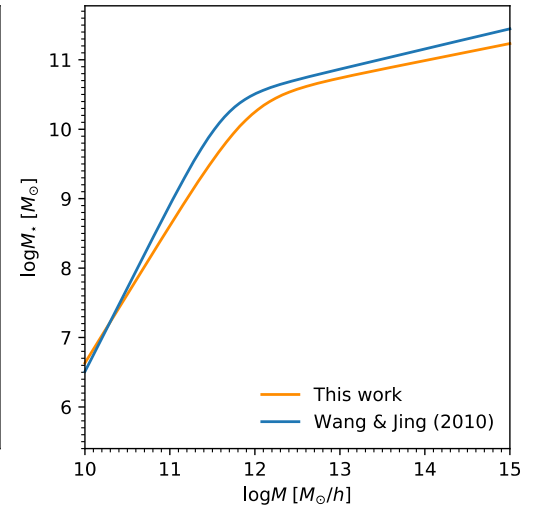




Normal galaxies



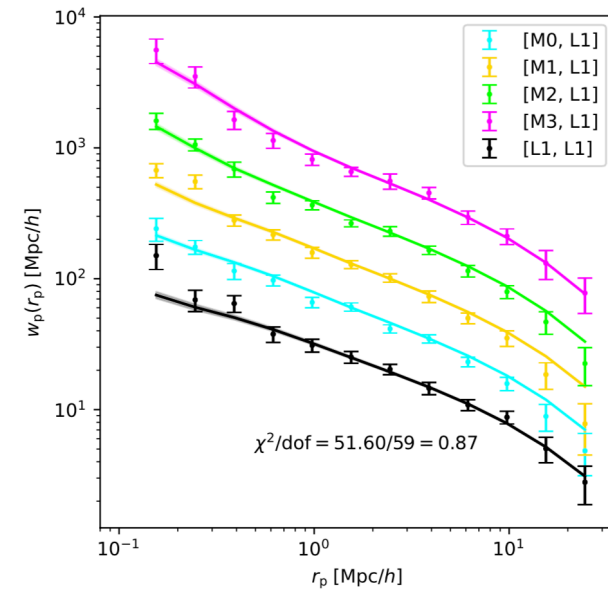
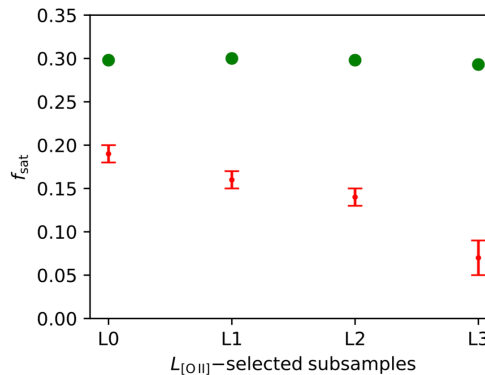
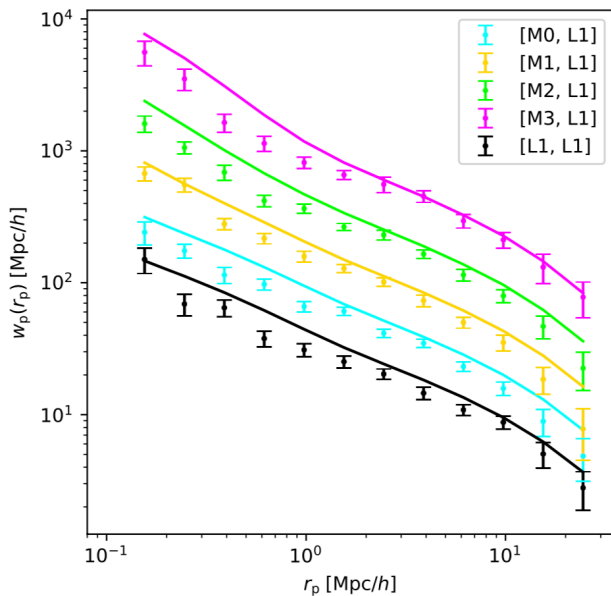
Stellar mass halo mass relation





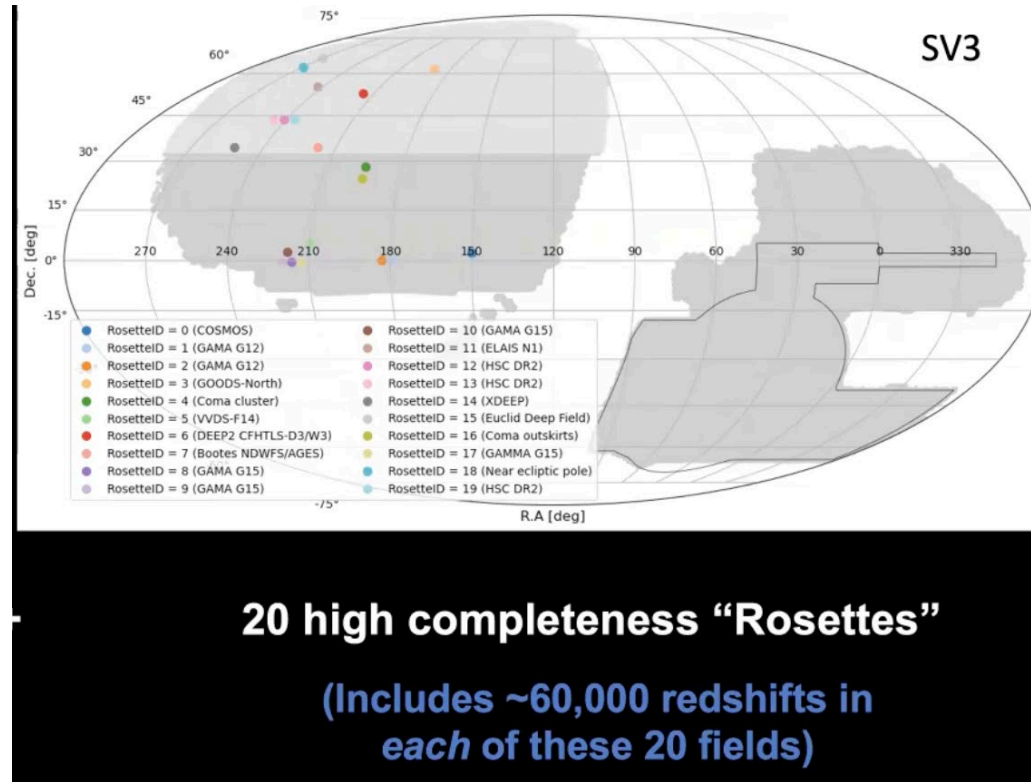
The relation of ELGs with Dark Matter halos

Main conclusion: The stellar mass-(sub)halo mass relation (SHMR) of normal galaxies is valid for ELGs, once the satellite fraction is properly reduced





Using SV3 fields



Gao,H, YPJ, et al. 2023, [arXiv:2306.06317](https://arxiv.org/abs/2306.06317)



Measuring Physical Properties

- BC03 Stellar Population Synthesis (SPS) library (Bruzual & Charlot 2003)
- Chabrier (2003) IMF
- Metallicities $Z / Z_{\text{sun}} = 0.4, 1$ or 2.5
- SFH -Delayed $\psi(t) = 1M_{\odot} \tau^{-2} t \exp(-t/\tau)$
- With 32 $\tau = 0.01$ to 12.6 Gyr with $\Delta \log \tau = 0.1$
- Extinction Law: Calzetti Law
- EBV range: $0.0-0.50$
- Using Le Phare code to fit the photometric data with the templates



Number distribution vs stellar mass M_*

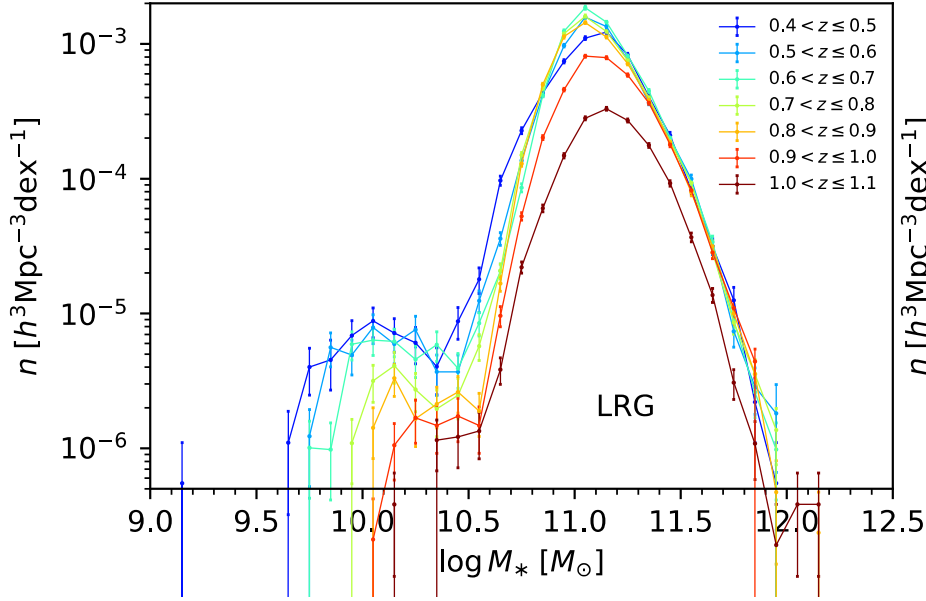


Table 1. Details of four LRG subsamples.

Name	Redshift Range	$\log M_* [M_\odot]$	N_g
LRG0	$0.8 < z \leq 1.0$	[11.1, 11.3]	13906
LRG1	$0.8 < z \leq 1.0$	[11.3, 11.5]	4834
LRG2	$0.8 < z \leq 1.0$	[11.5, 11.7]	957
LRG3	$0.8 < z \leq 1.0$	[11.7, 11.9]	124

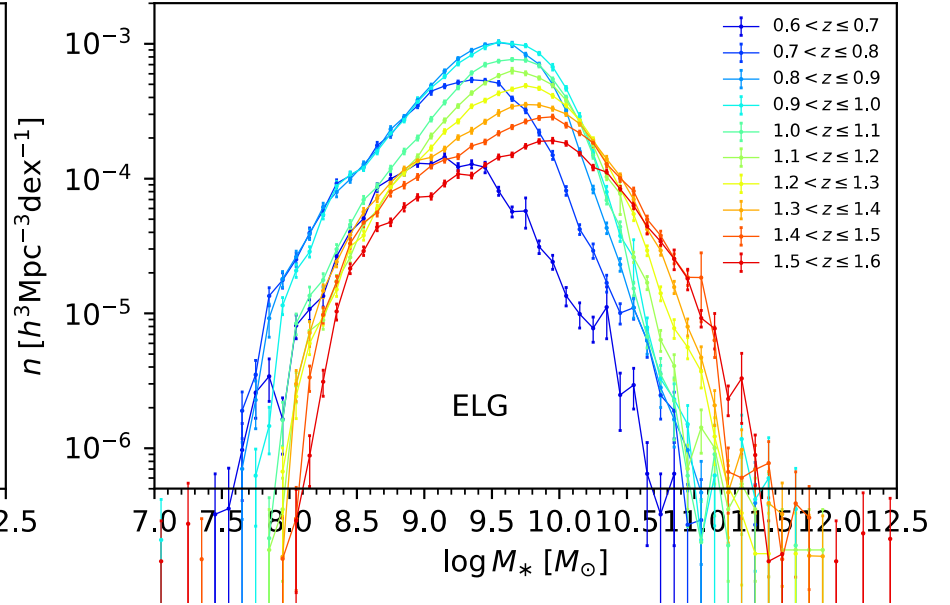
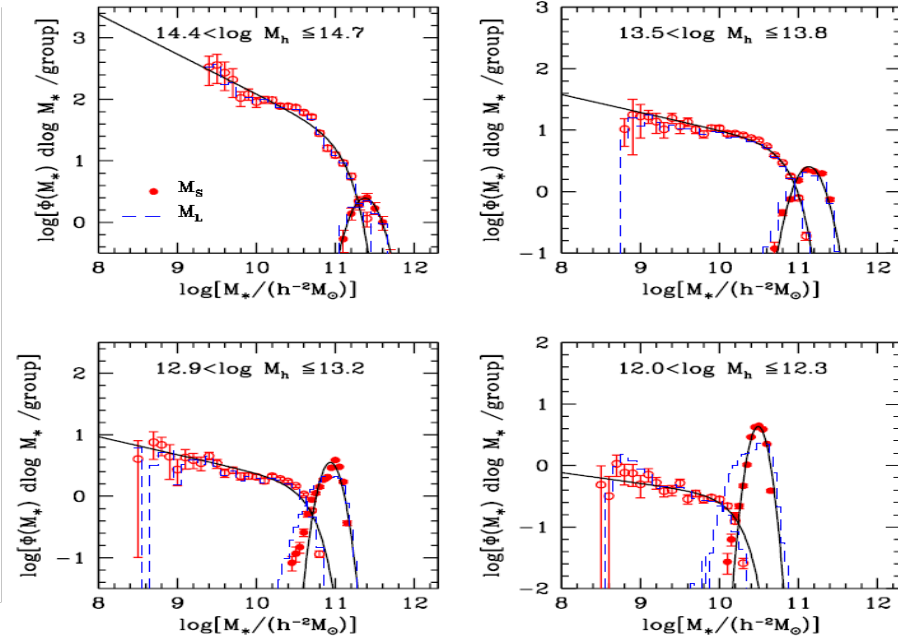
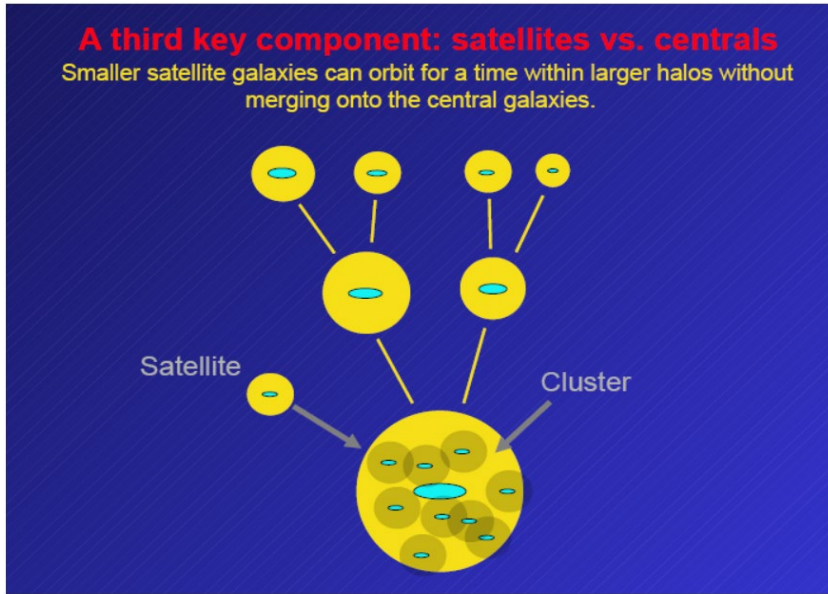


Table 2. Details of four ELG subsamples.

Name	Redshift Range	$\log M_* [M_\odot]$	N_g
ELG0	$0.8 < z \leq 1.0$	[8.5, 9.0]	9481
ELG1	$0.8 < z \leq 1.0$	[9.0, 9.5]	29764
ELG2	$0.8 < z \leq 1.0$	[9.5, 10.0]	34155
ELG3	$0.8 < z \leq 1.0$	[10.0, 10.5]	6583



Empirical approach: Galaxies in halos



Have determined galaxies in halos using

- 1、 Halo Occupation Distribution (Jing et al. 1998; Zheng et al. 2005)
- 2、 Conditional Luminosity Function (Yang X.H. et al. 2003; 2006)
- 3、 Group catalogs (Yang et al. 2004, 2007, 2008-2009)
- 4、 Abundance Matching Method (L. Wang et al. 2006; Wechsler et al. 2006)
- 5、 reconstruction simulation (H.Y. Wang et al. 2016)



Modeling ELGs

- ① ***ELGs subject to complicated target selections (color and mag.cuts)***
- ② ***Incomplete and changes rapidly with redshift***
- ③ ***Although HOD are being attempted by people in the collaboration, I believe Abundance Matching better suits for the complicated TS***



Abundance Matching

- Use high resolution simulation **CosmicGrowth** (Jing 2019) to model the observed $w_{xy}(r_p)$
- Halos and subhalos identified with **HBT** (Han et al 2012)
- Assuming a lognormal distribution for M_* of scatter σ , use **Abundance Matching (AM)** method with two forms,
 - **Double Power law (DP):**
 - **five parameters**

$$M_* = \left[\frac{2k}{(M_{acc}/M_0)^{-\alpha} + (M_{acc}/M_0)^{-\beta}} \right]$$

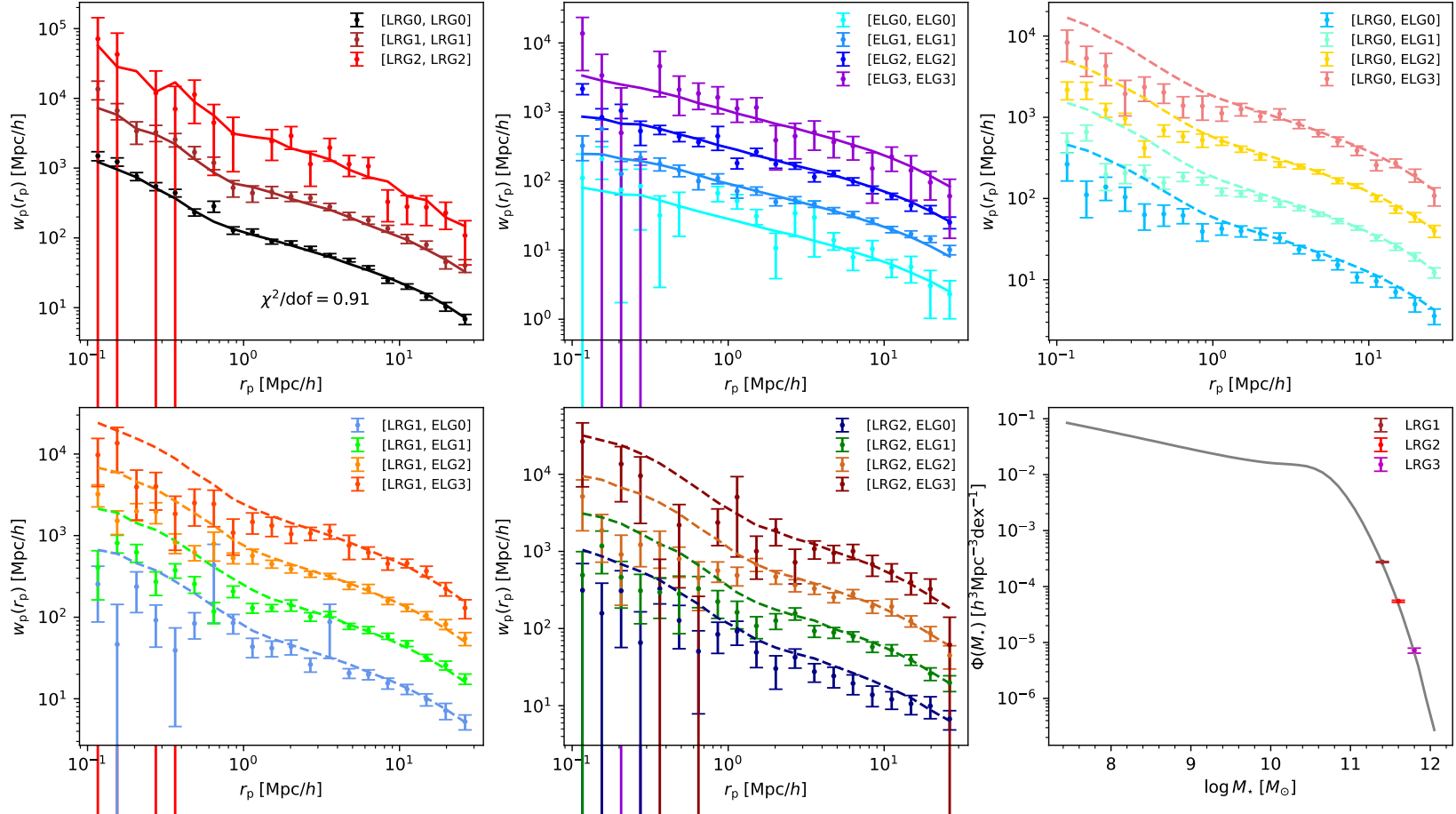


The same clustering and density

- Step1: Following Gao et al 2022, we assume that central ELGs follows the same SMHR as the whole population, but the satellites are reduced to the fraction $0 < P_{sat} < 1$ in a halo of mass M_{acc} (**the same clustering**)
- Step2: assuming we get the number density $n_{can}(M_*)$ from Step 1, we normalize the density to the observed one $n_{obs}(M_*)$ by randomly selecting with the probability $F^{ELG} \equiv \frac{n_{obs}(M_*)}{n_{can}(M_*)}$ (**the same density**)



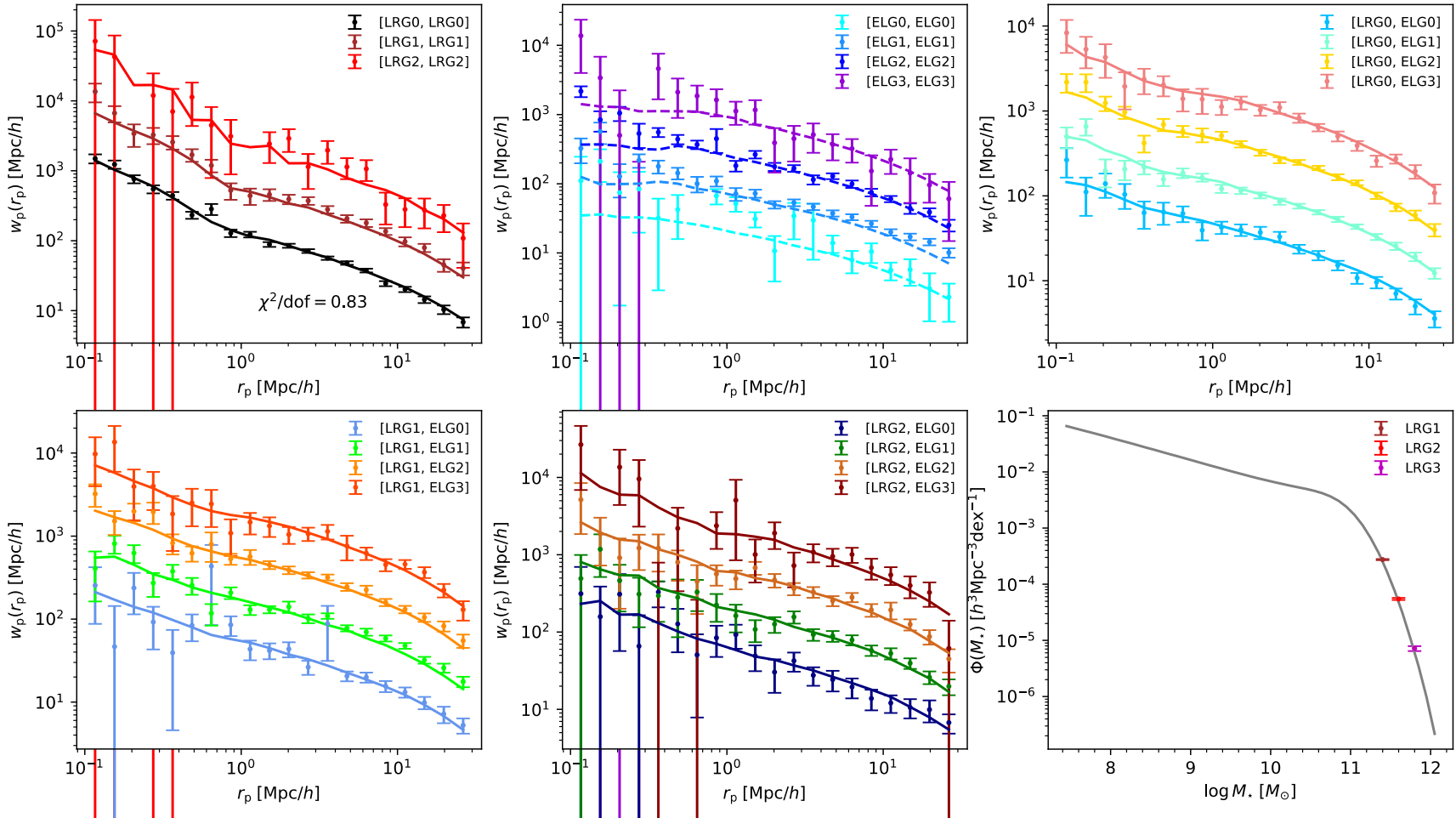
Modeling auto CFs with $P_{\text{sat}} = \text{const}$



Auto CFs reproduced with $P_{\text{sat}} = 0.89^{+0.07}_{-0.11}$
But cross CF between LRG and ELGs too high



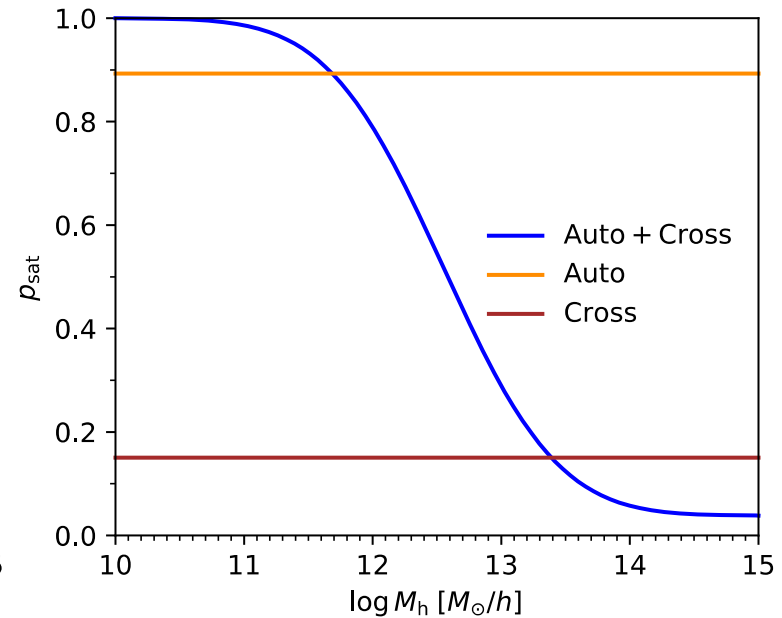
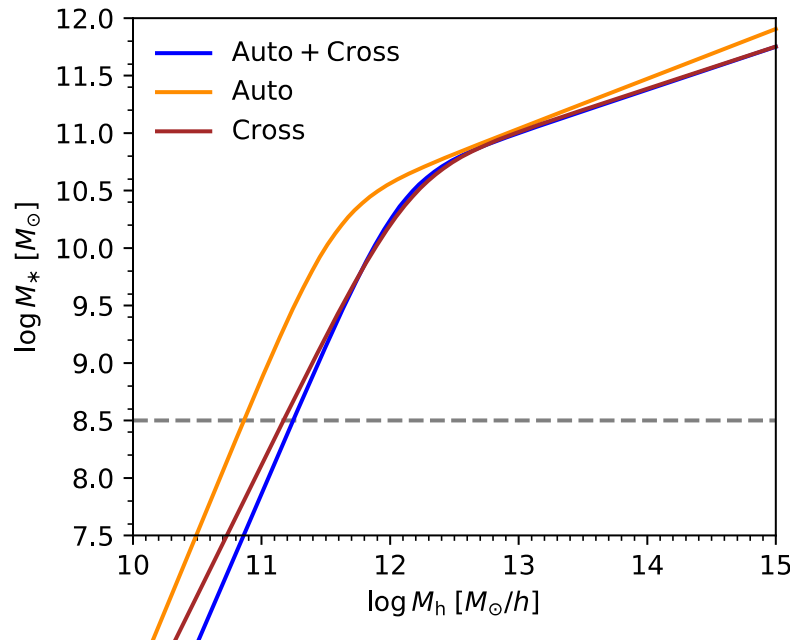
Modeling without ELG auto CFs with $P_{\text{sat}} = \text{const}$



LRG and cross CFs reproduced with $P_{\text{sat}} = 0.15^{+0.02}_{-0.01}$
But auto CFs of ELGs too low in model



Fitting results



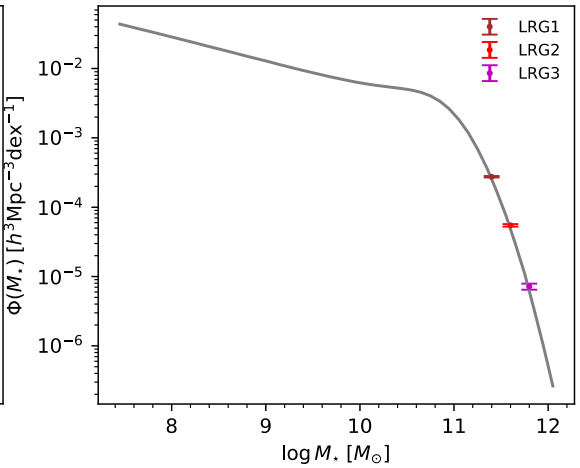
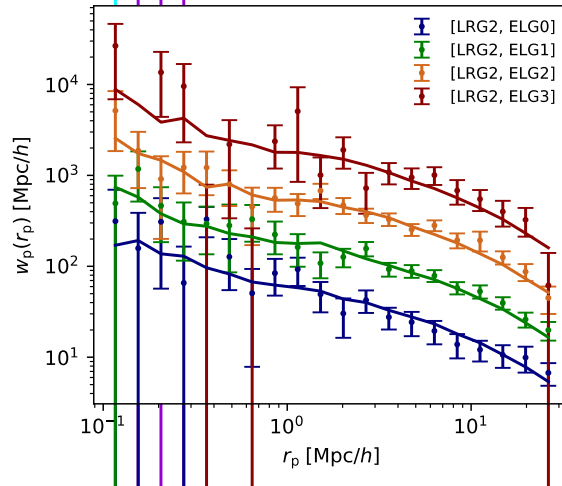
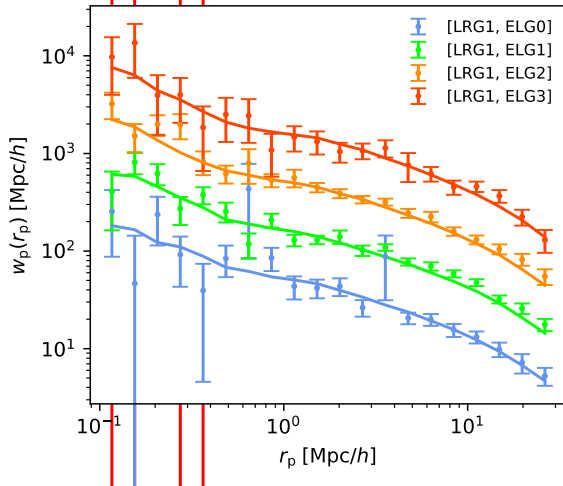
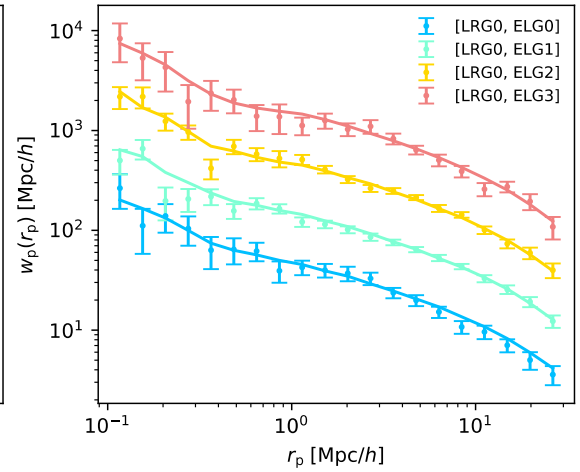
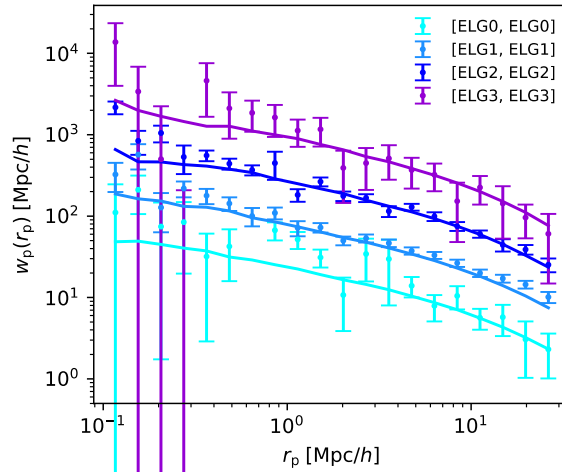
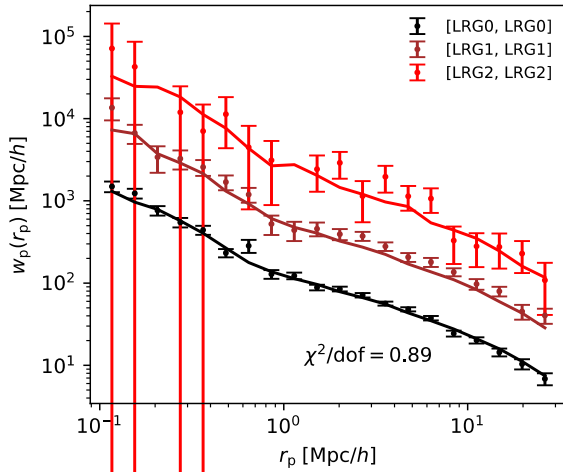
$$P_{\text{sat}}(M_{\text{acc}}) = \frac{1}{2} [1 - \text{erf}(\lg M_{\text{acc}} - b)] + \frac{c}{2} [1 - \text{erf}(b - \lg M_{\text{acc}})]$$

2 parameters b and c

7 parameters in total in the model

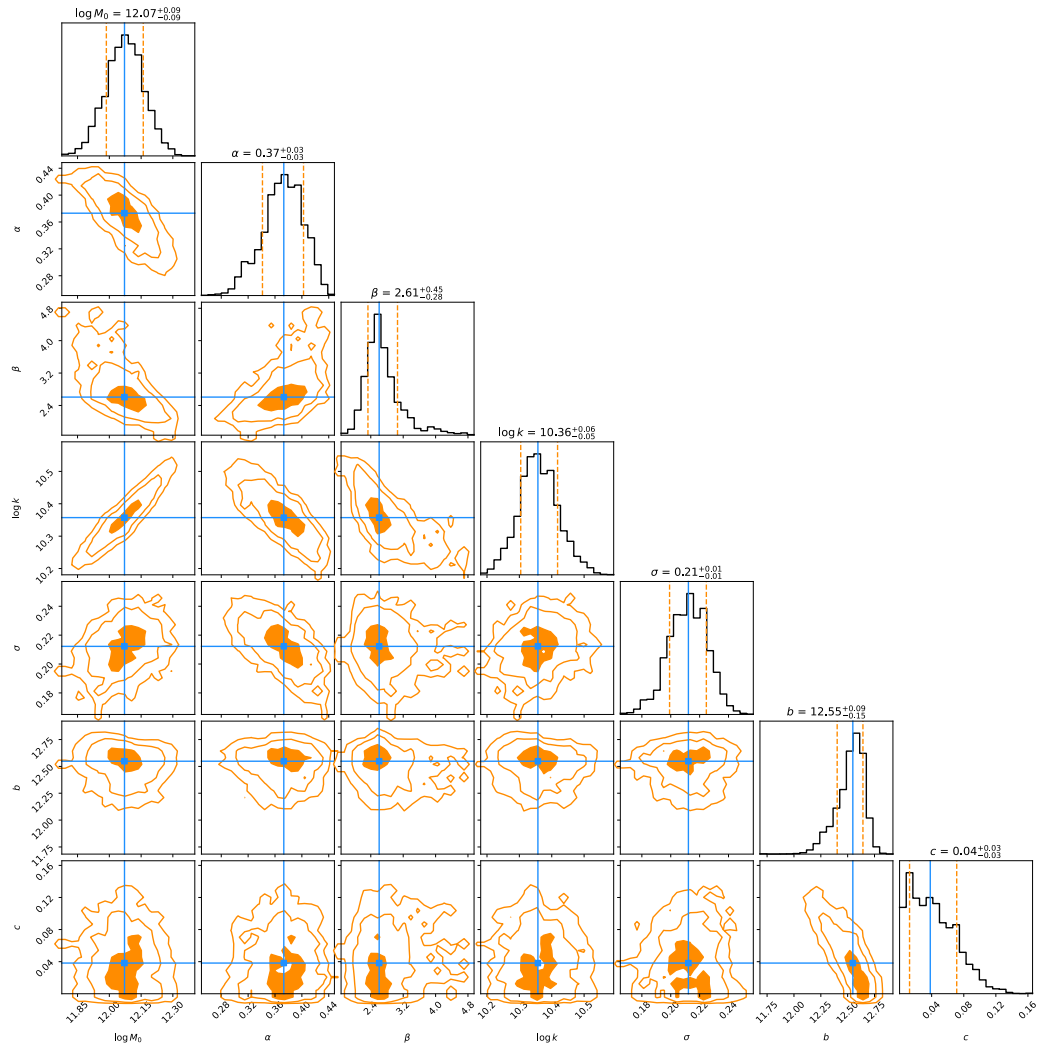


Modeling all CFs with $P_{\text{sat}}(M_{\text{acc}})$



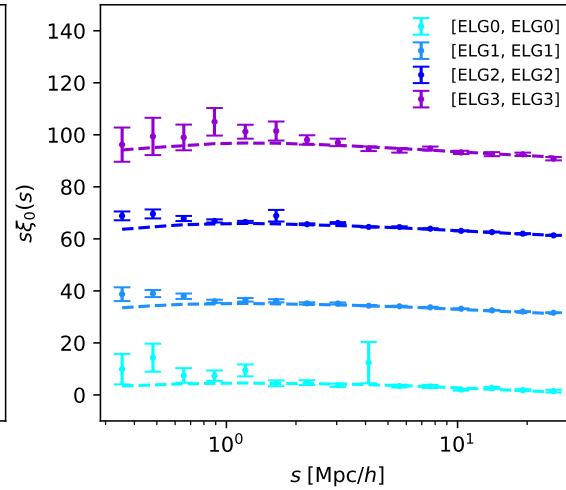
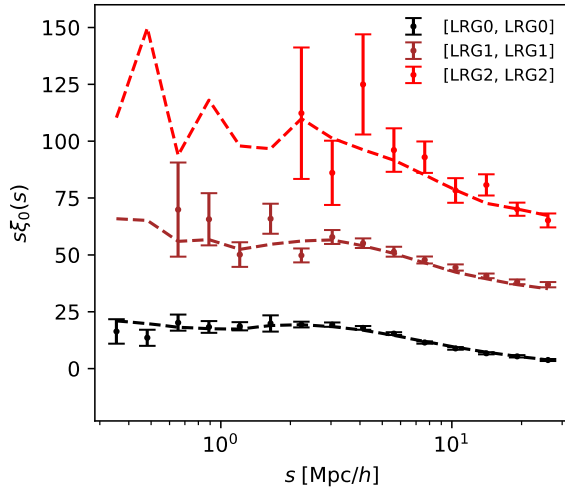


7 parameters are well constrained

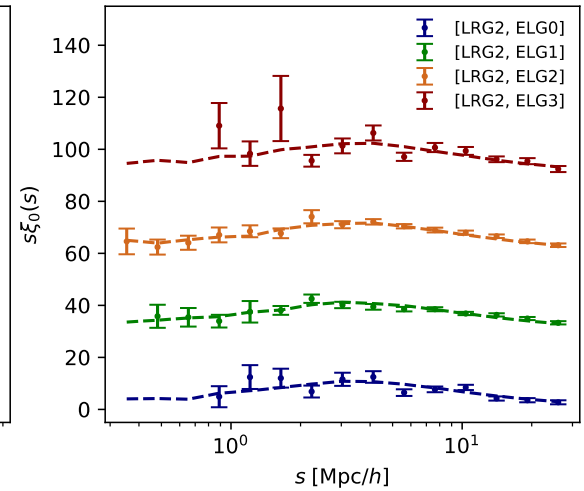
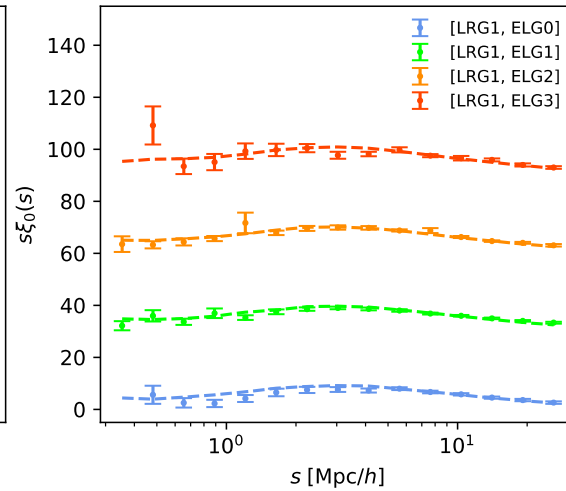
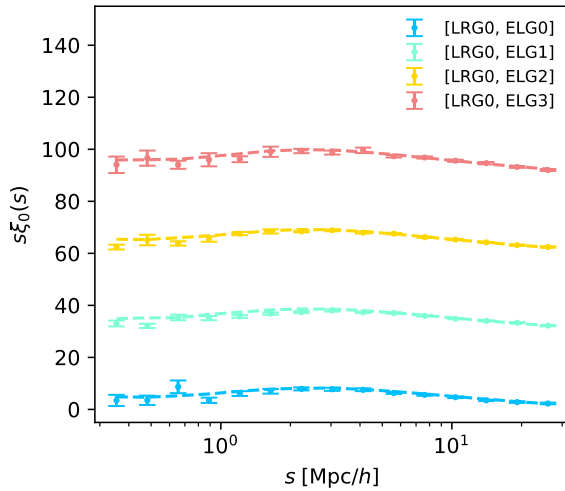




Monopole moments in redshift space



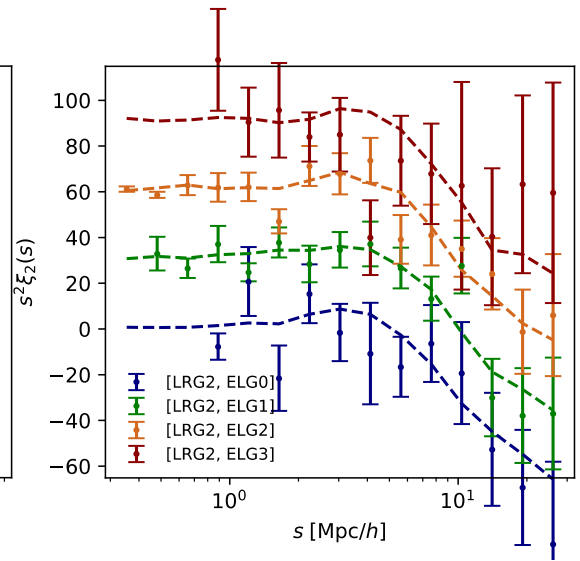
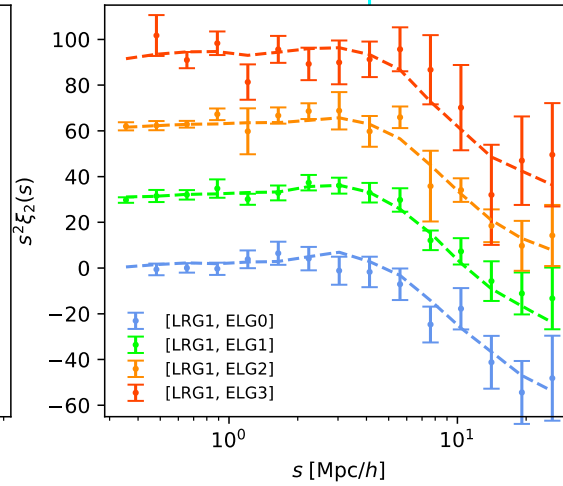
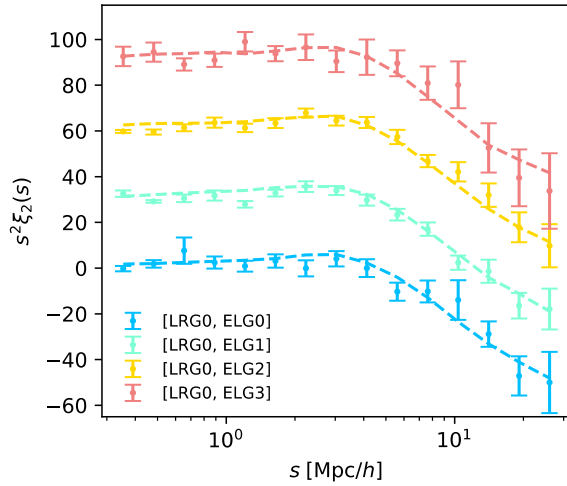
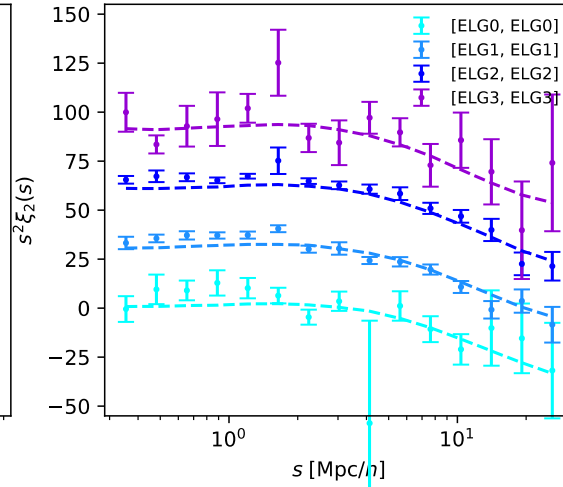
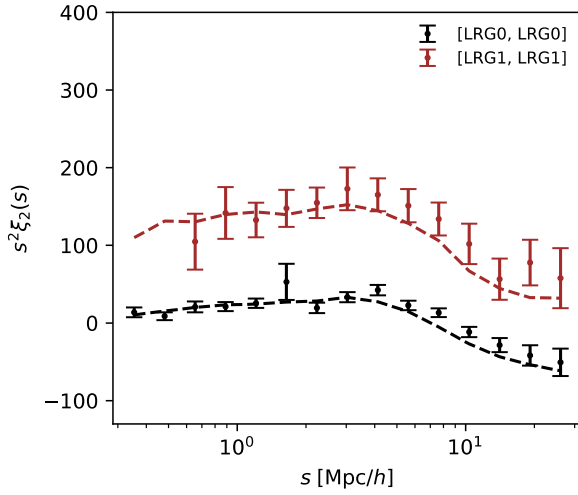
**Model prediction
(NOT fitting) vs
observation**



$$\xi_l(s) = \frac{2l+1}{2} \int_0^1 \xi(s, \mu) L_l(\mu) d\mu$$

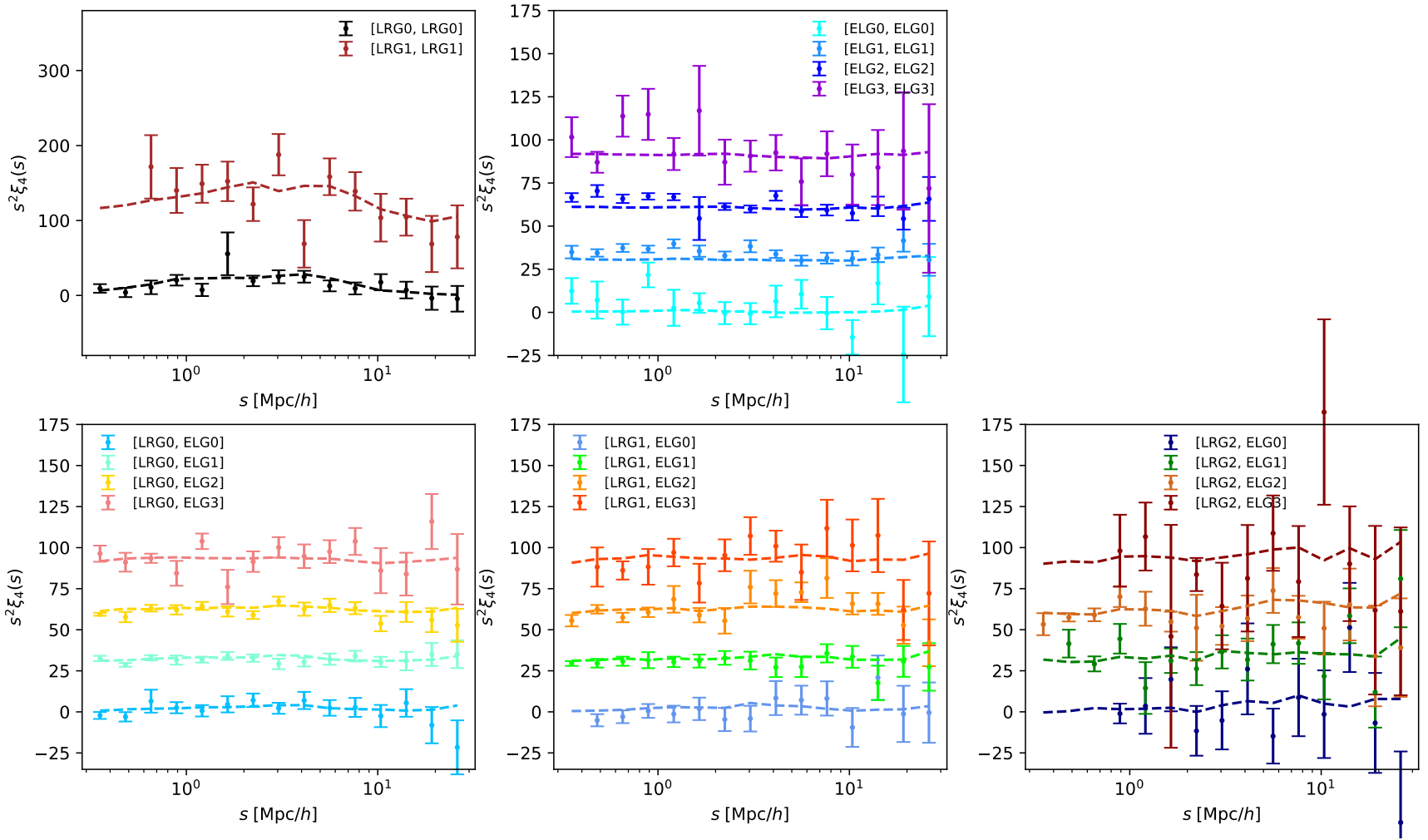


Quadrupole moments in redshift space



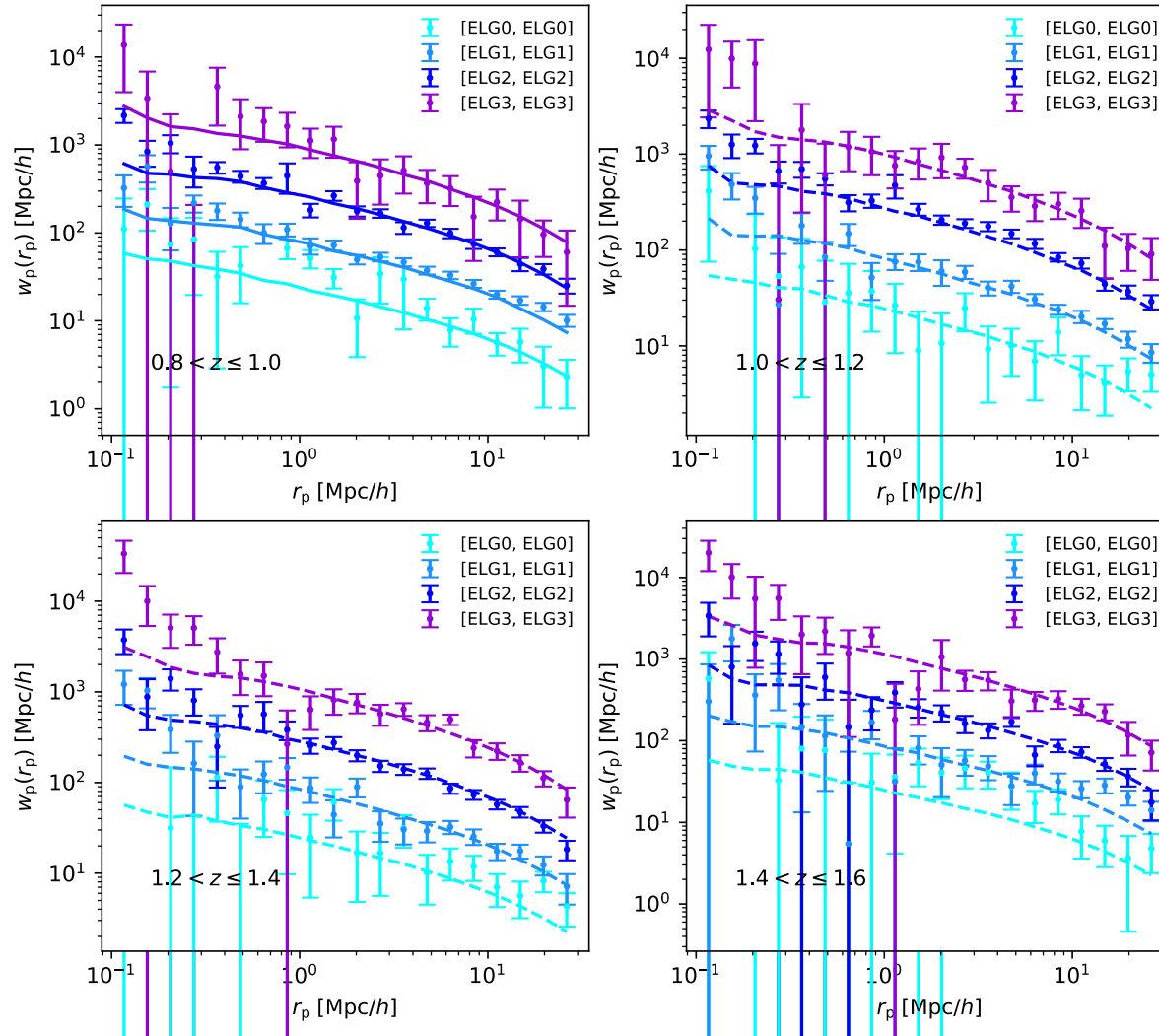


Hexadecapole moment in redshift space





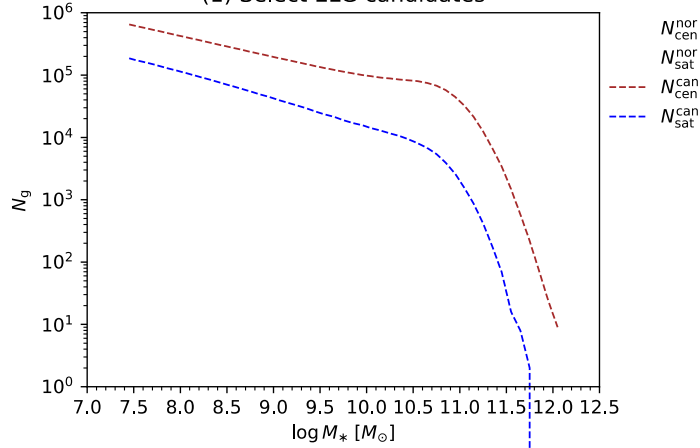
Valid for higher redshift



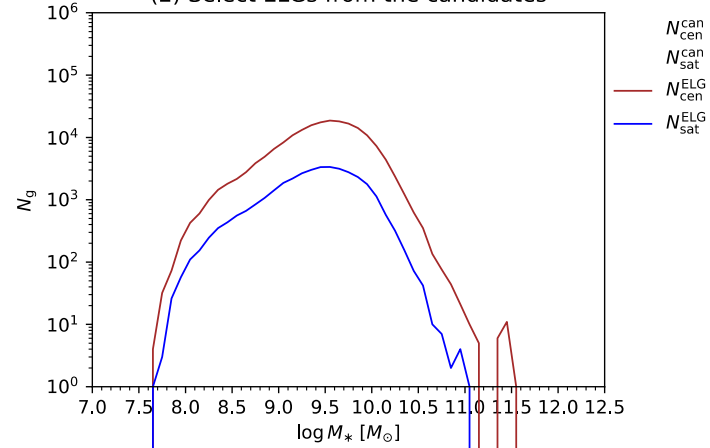


Galactic Conformity

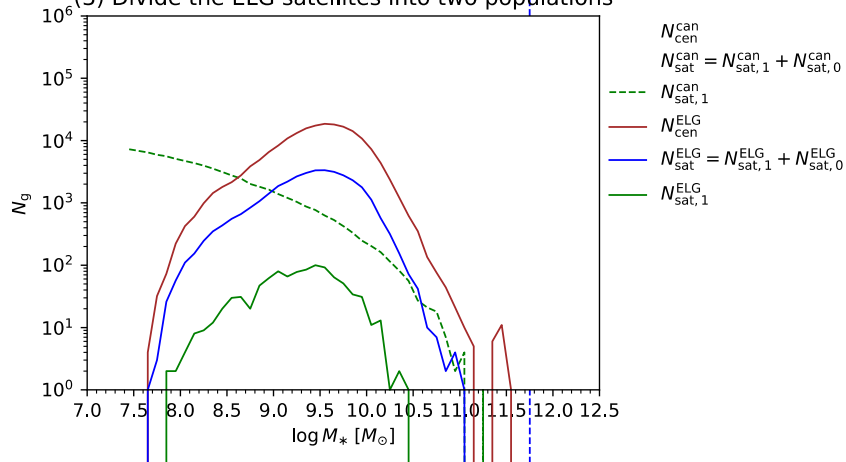
(1) Select ELG candidates



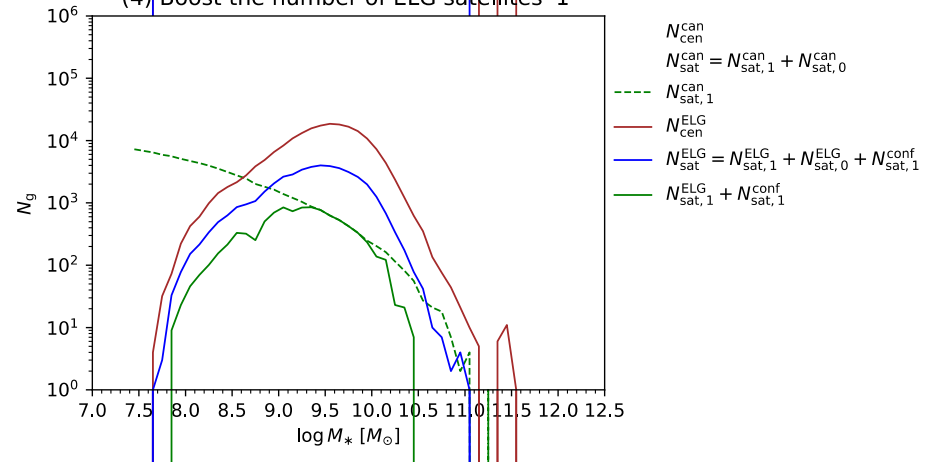
(2) Select ELGs from the candidates



(3) Divide the ELG satellites into two populations



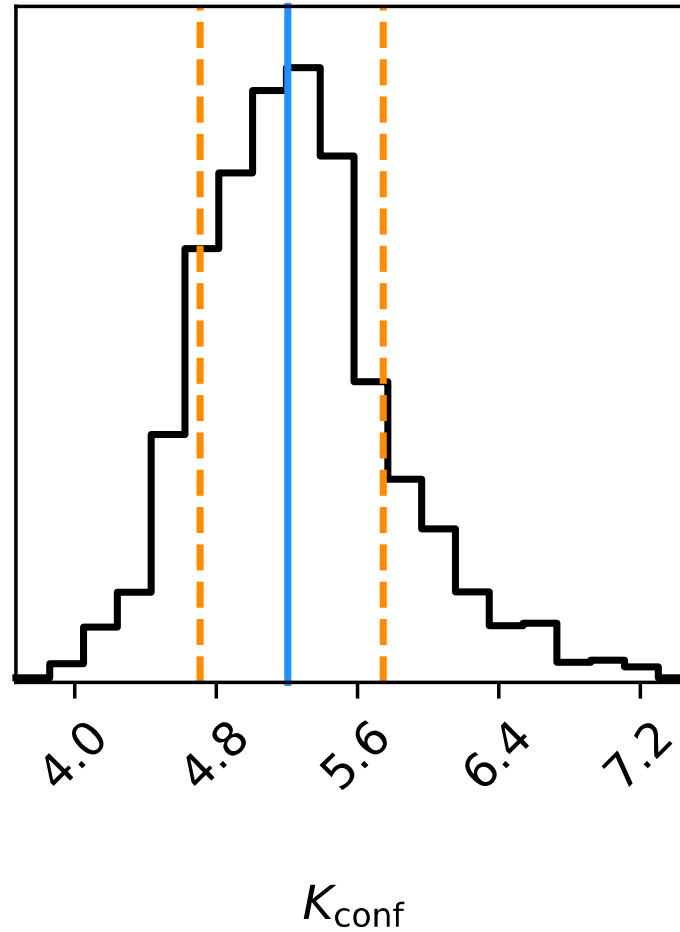
(4) Boost the number of ELG satellites '1'





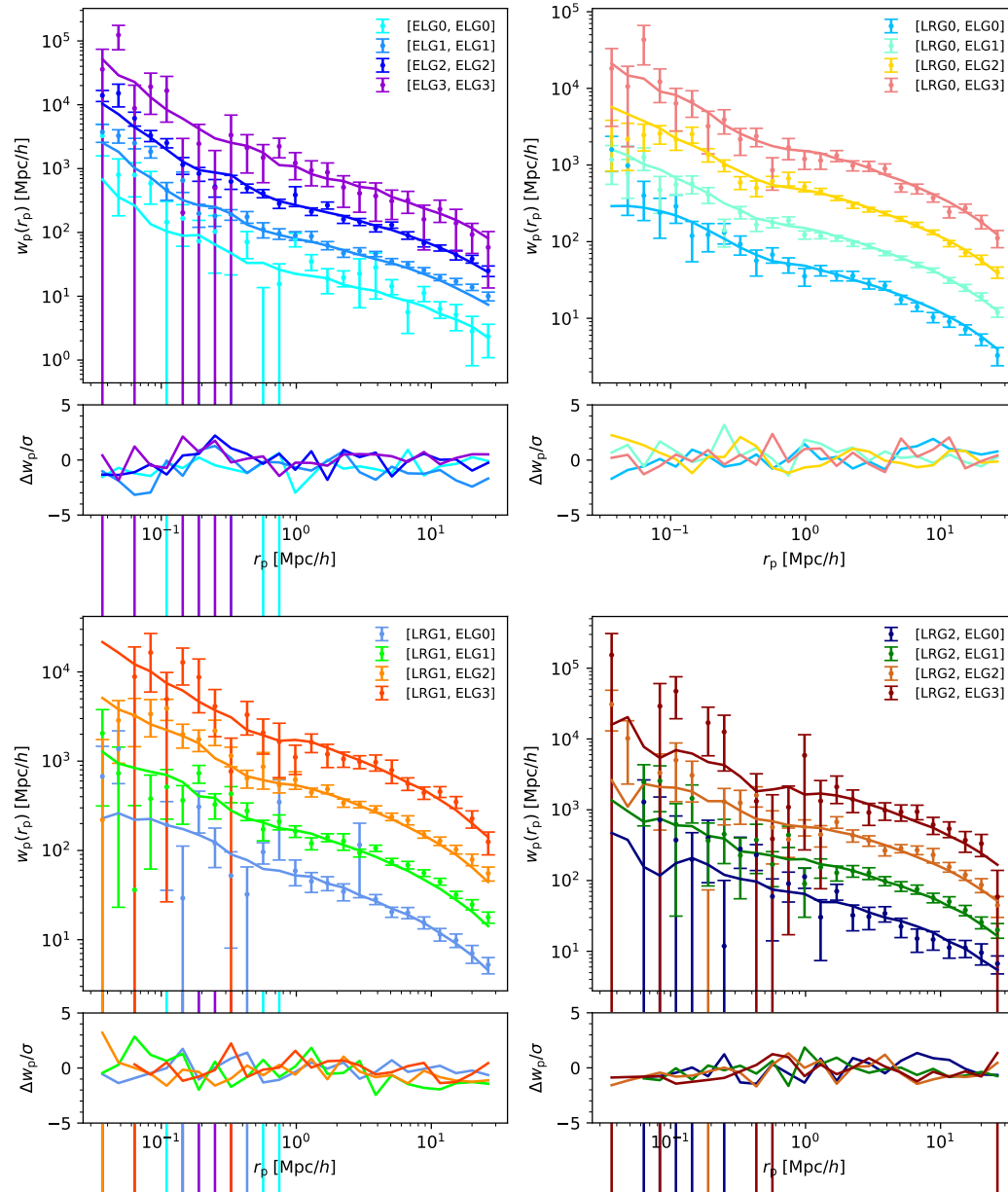
Best value

$$K_{\text{conf}} = 5.21^{+0.54}_{-0.50}$$



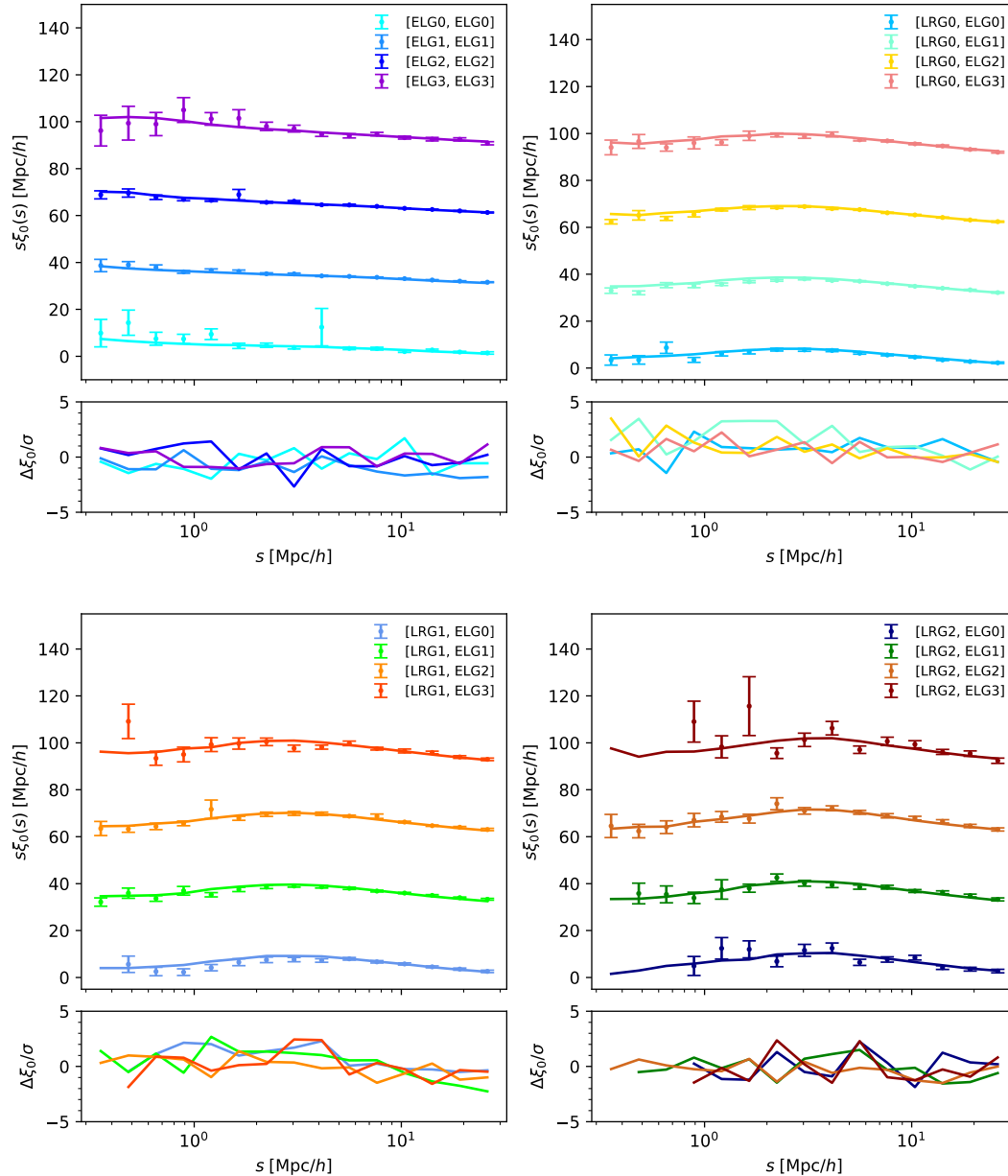


Project CF



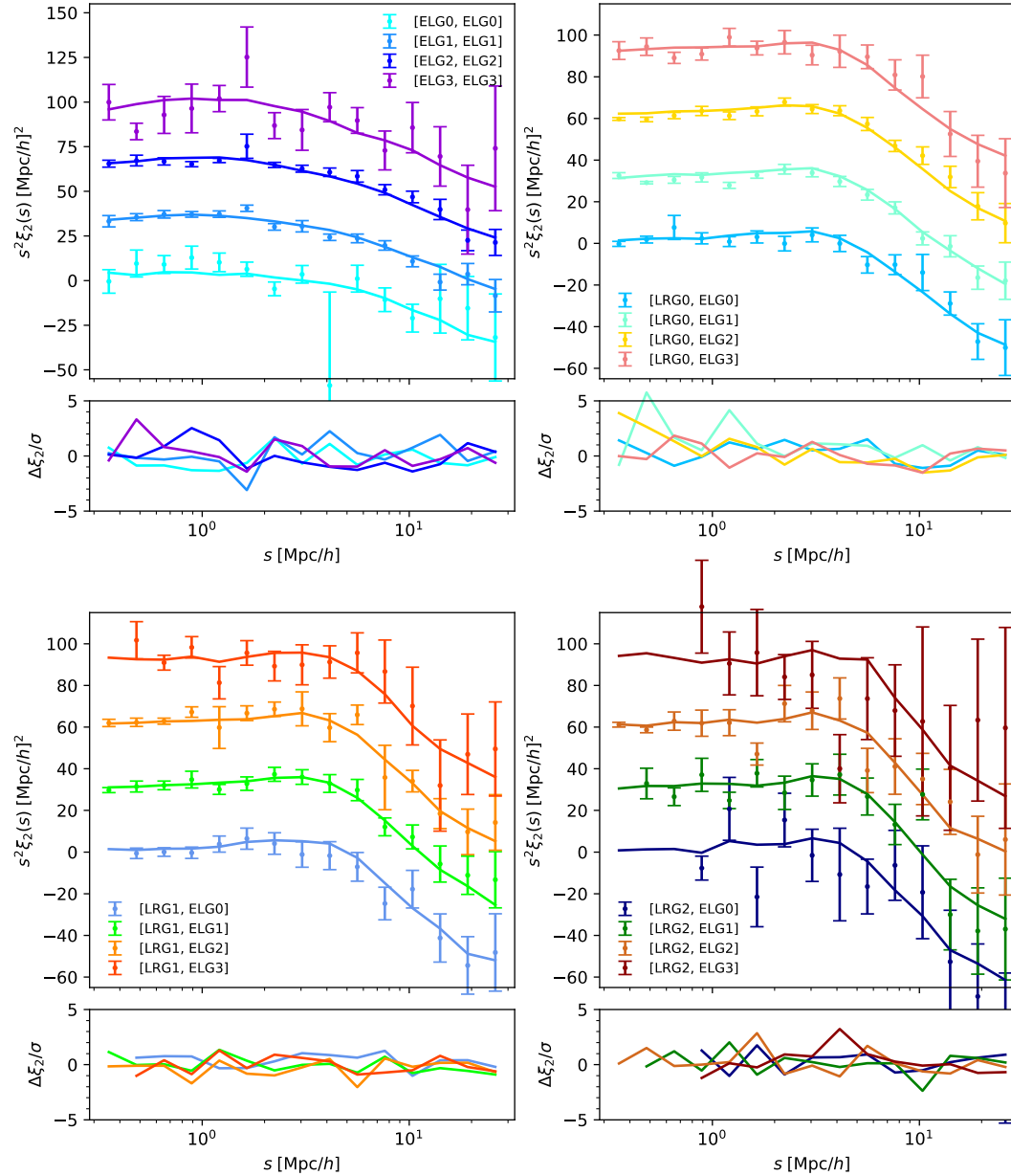


Monopoles (redshift space)



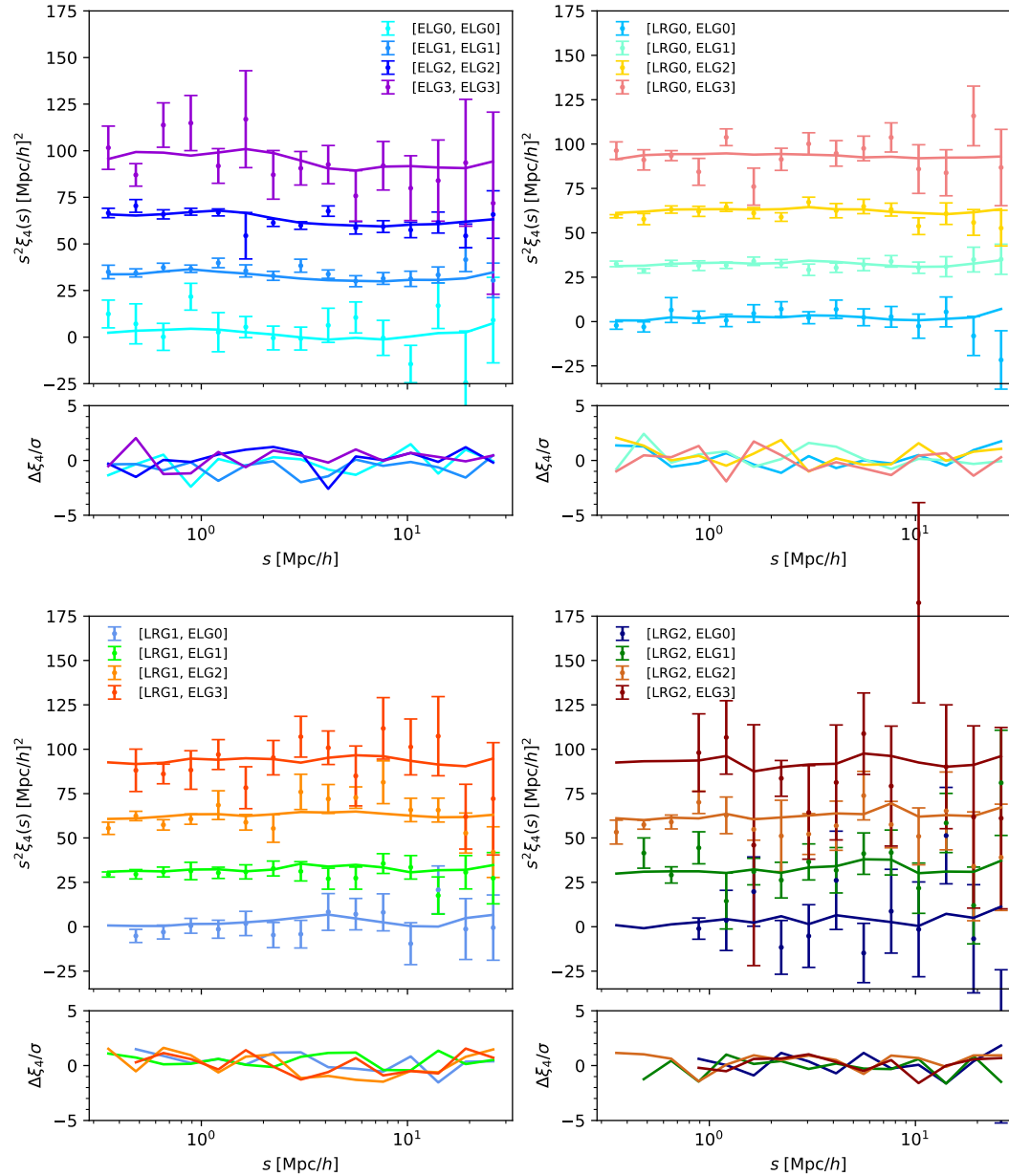


Quadrupoles



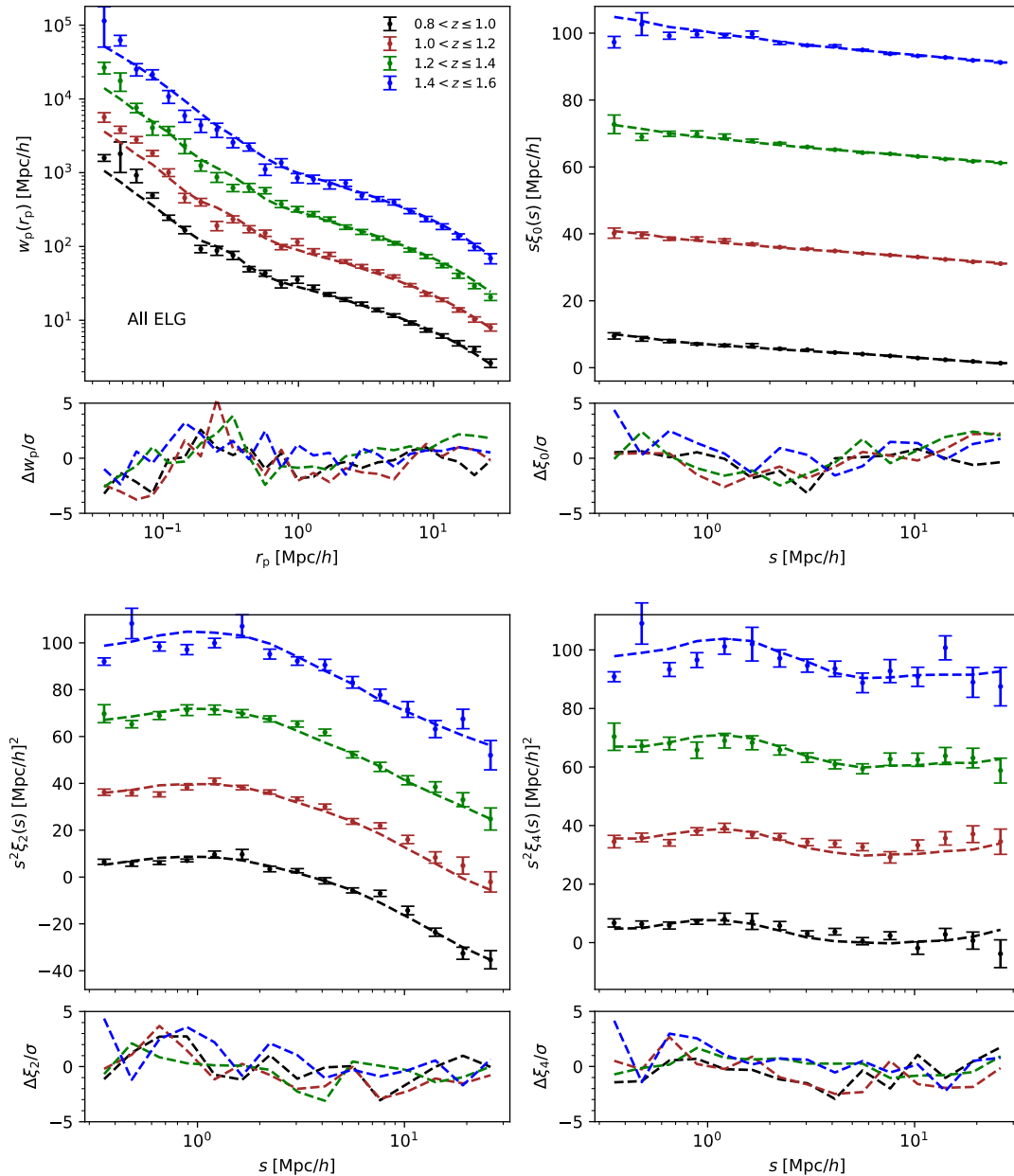


Hexadecapoles



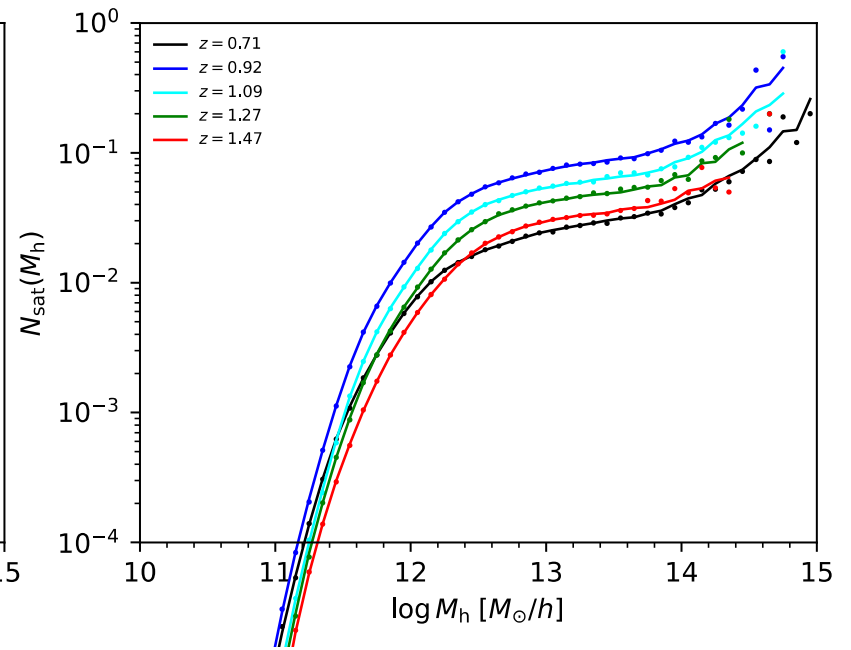
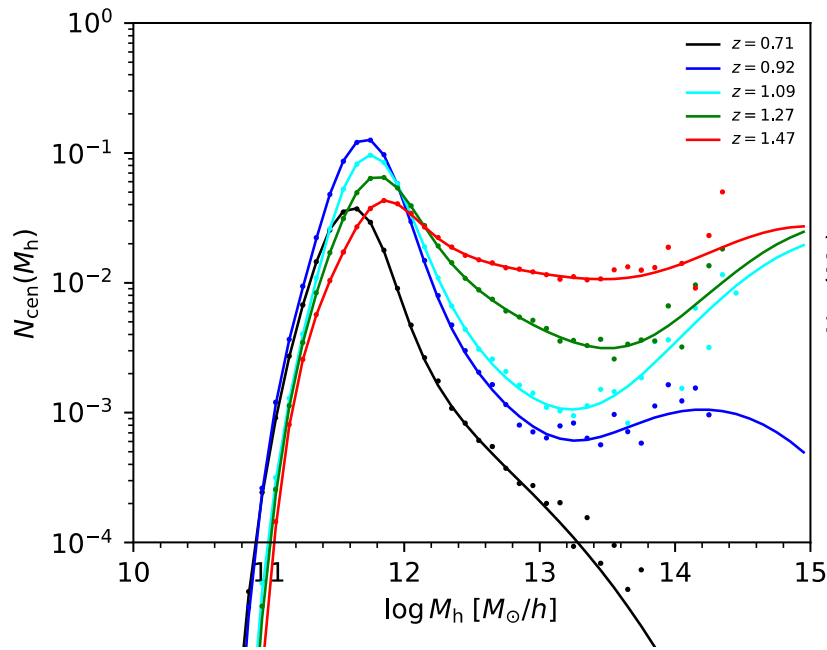


Evolution of whole ELGs



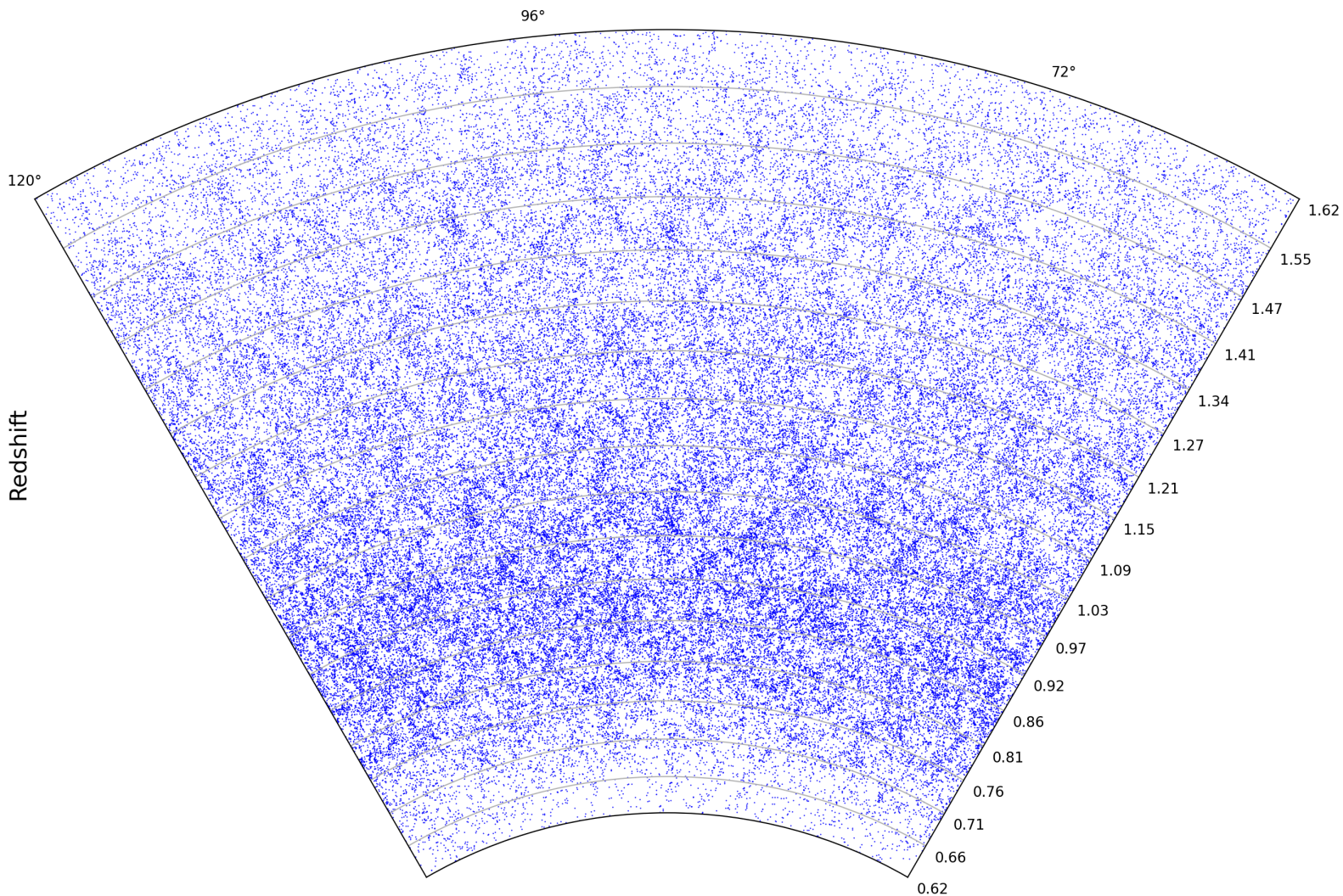


Complicated HODs at different redshift





ELG mock (赤道附件1度)





Conclusions

- ***With just 7 parameters that are well determined by the observations, we are able to model the relation between ELGs and dark matter halos in DESI SV3;***
- ***We find that galactic conformity is a must for explaining the strong clustering of ELGs***
- ***With our framework, it is easy to include the galactic conformity with only 1 additional parameter;***
- ***With much larger 1 Year sample, we are able to improve accuracy of the model, by introducing dependances on O_{ll} luminosity, redshift etc***