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# Removal of point source leakage from time-order data filtering

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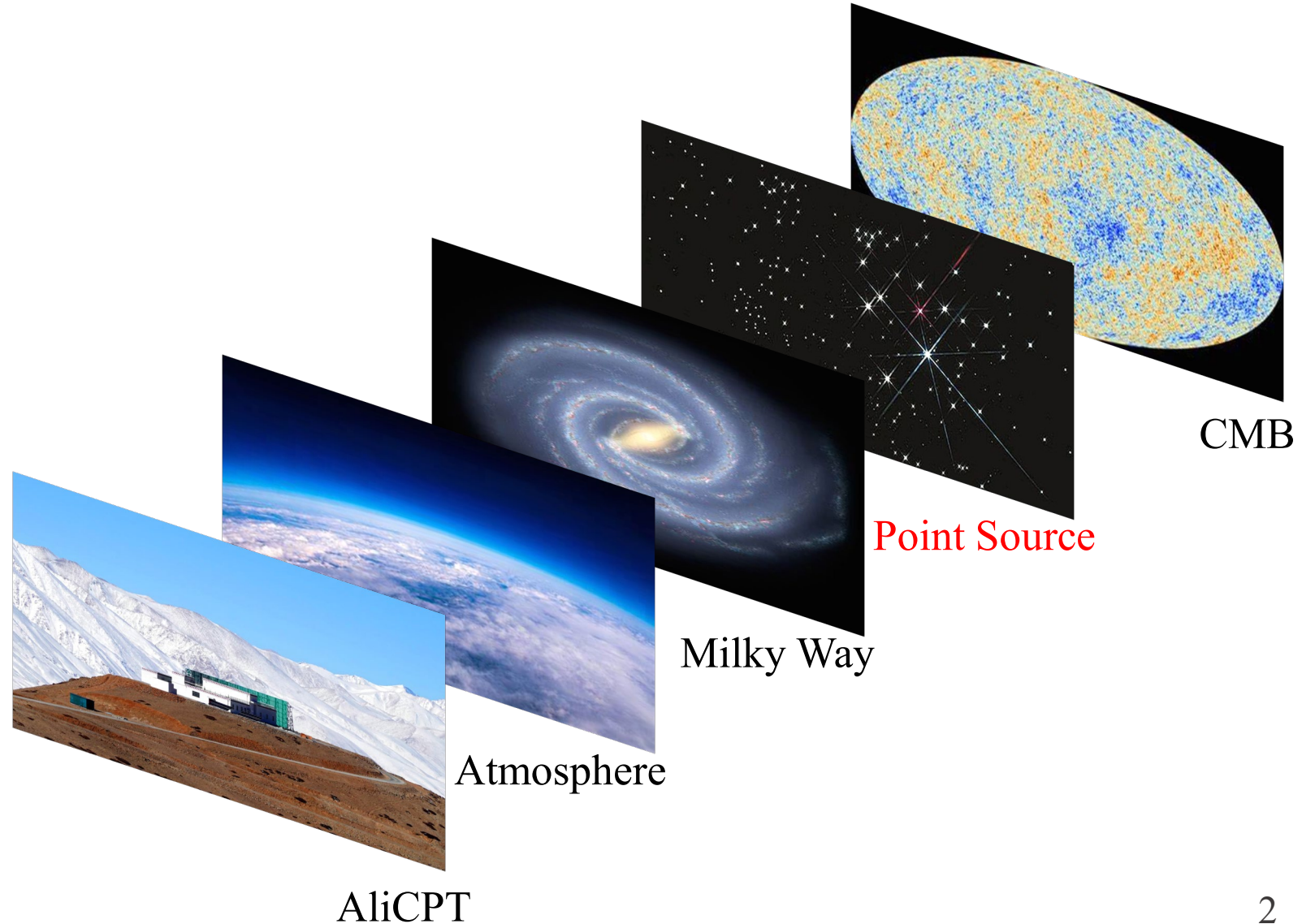
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# Background

Time-ordered data (TOD)

Data analysis pipeline:  
 Data splitting and cutting,  
 Pointing and polarization  
 orientation reconstruction,  
**Time domain filtering**,  
 The final time-to-pixel  
 domain map making.

[T, Q, U] maps

TOD filtering will cause leakages from point sources to the pixel domain:

$$\begin{array}{c}
 \text{Filtering matrix } (\mathbf{F}) \quad \text{Point source } (\mathbf{d}_p) \\
 \left[ \begin{array}{ccccc}
 0 & 0 & 0 & 0 & 0 \\
 0 & F_{11} & F_{12} & F_{13} & 0 \\
 0 & F_{21} & F_{22} & F_{23} & 0 \\
 0 & F_{31} & F_{32} & F_{33} & 0 \\
 0 & 0 & 0 & 0 & 0
 \end{array} \right] \begin{array}{c} \uparrow \\ \left[ \begin{array}{c} 0 \\ 0 \\ d \\ 0 \\ 0 \end{array} \right] \end{array} = \left[ \begin{array}{c} 0 \\ F_{12} \cdot d \\ F_{22} \cdot d \\ F_{32} \cdot d \\ 0 \end{array} \right]
 \end{array}$$



# Background

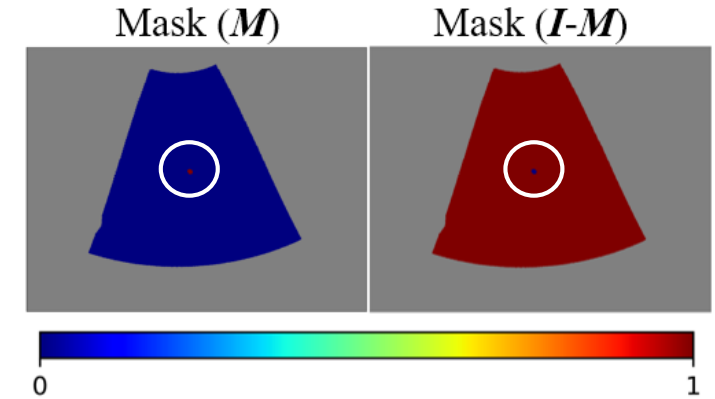
- Although TOD filtering can efficiently remove the atmosphere/ground emissions, it will also remove part of the CMB signal and cause leakages from point sources to the pixel domain regions around them.
- Point source leakage usually has no preference for the  $E$ - and  $B$ -modes: when the point source is strong, it can significantly contaminate the weak primordial  $B$ -mode signal in a large pixel domain region.

We introduce a new “template-fitting” method to remove the point source leakage due to the filtering of TOD.

# Methods

Data:  $D \rightarrow \text{Filter}(F) \rightarrow \text{Mask}(I-M) \rightarrow D'$  ( $D = d + d_p$ )

Ideal template:  $d_p \rightarrow \text{Filter}(F) \rightarrow \text{Mask}(I-M) \rightarrow \mathcal{T}_0$



$\mathcal{T}_0$  is the theoretical true leakage of point source, and it has a better performance but requires complete knowledge of the beam profile, which is unavailable.

Realistic template:  $d_p \rightarrow \text{Mask}(M) \rightarrow \text{Filter}(F) \rightarrow \text{Mask}(M) \rightarrow \text{Filter}(F) \rightarrow \text{Mask}(I-M) \rightarrow \mathcal{T}_1$

$\mathcal{T}_1$  is an available approximation of the unavailable true point source leakage, which is constructed directly from the product of the pipeline, and its error is acceptable.

Other signals:  $d \rightarrow \text{Filter}(F) \rightarrow \text{Mask}(I-M) \rightarrow d'$  ( $d = d_c + d_f + n$ )  
(CMB, Foreground, Noise)

# Results

- **Fitting parameters:**  $k_\xi$  (known polarization direction) and  $k_\xi^Q, k_\xi^U$  (unknown polarization direction)
- The polarization **sky map** of two types of templates and residuals
- The **power spectra** of CMB, residuals and true leakage

**Known** polarization direction:

$$\left\{ \begin{array}{l} (\sigma_\xi^Q)^2 = \frac{1}{n} \left[ \sum_{i=1}^n \left( \mathbf{D}' - \sum_j k_{\xi j} \mathcal{J}_{\xi j} \right)_i^2 \right]_Q \\ (\sigma_\xi^U)^2 = \frac{1}{n} \left[ \sum_{i=1}^n \left( \mathbf{D}' - \sum_j k_{\xi j} \mathcal{J}_{\xi j} \right)_i^2 \right]_U \\ \sigma_\xi^2 = (\sigma_\xi^Q)^2 + (\sigma_\xi^U)^2 \end{array} \right.$$

Residual:  $\boldsymbol{\delta}_\xi = \left( \mathbf{D}' - \sum_j k_{\xi j} \mathcal{J}_{\xi j} \right) - \mathbf{d}'$

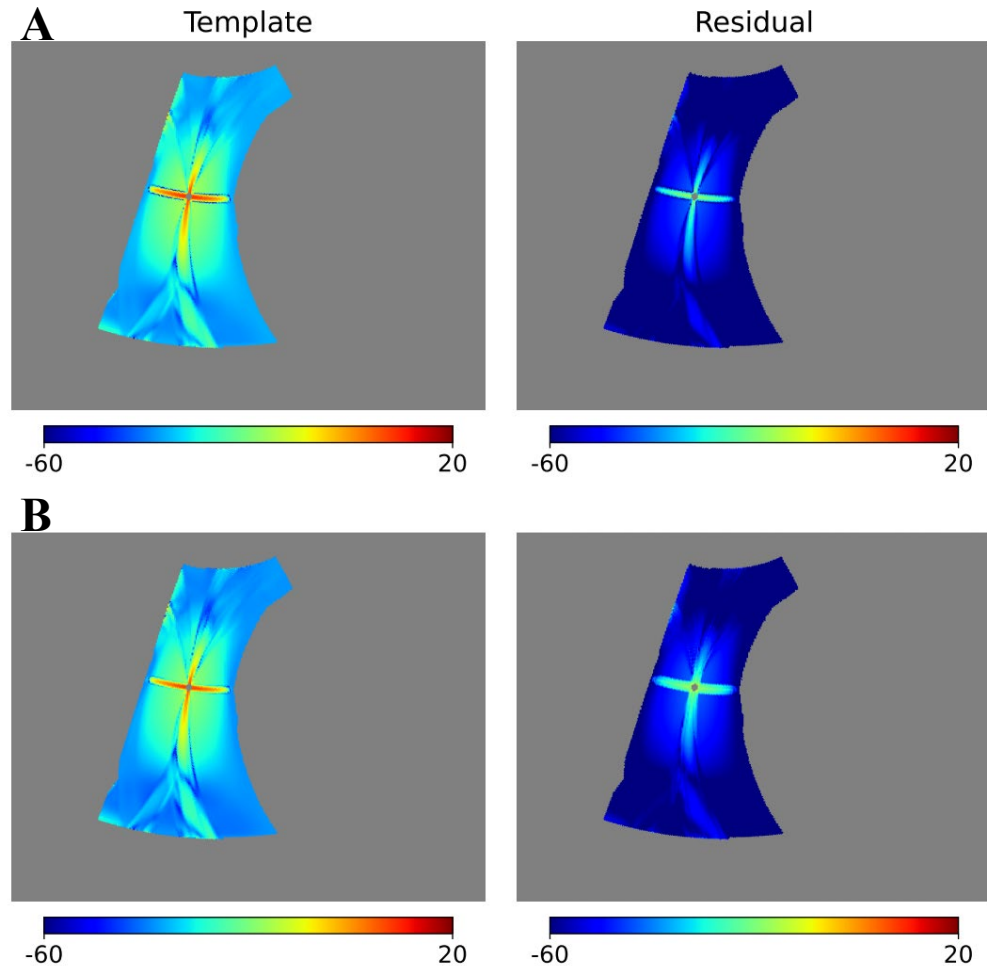
**Unknown** polarization direction:

( $\xi = 0, 1$ )

$$\left\{ \begin{array}{l} (\sigma_\xi^Q)^2 = \frac{1}{n} \left[ \sum_{i=1}^n \left( \mathbf{D}' - \sum_j k_{\xi j}^Q \mathcal{J}_{\xi j}^Q - \sum_j k_{\xi j}^U \mathcal{J}_{\xi j}^U \right)_i^2 \right]_Q \\ (\sigma_\xi^U)^2 = \frac{1}{n} \left[ \sum_{i=1}^n \left( \mathbf{D}' - \sum_j k_{\xi j}^Q \mathcal{J}_{\xi j}^Q - \sum_j k_{\xi j}^U \mathcal{J}_{\xi j}^U \right)_i^2 \right]_U \\ \sigma_\xi^2 = (\sigma_\xi^Q)^2 + (\sigma_\xi^U)^2 \end{array} \right.$$

Residual:  $\boldsymbol{\delta}_\xi = \left( \mathbf{D}' - \sum_j k_{\xi j}^Q \mathcal{J}_{\xi j}^Q - \sum_j k_{\xi j}^U \mathcal{J}_{\xi j}^U \right) - \mathbf{d}'$

# Single point source (known polarization direction)



Comparison of results for  $r = 0.023$ , obtained using the ideal template (A) and the realistic template (B), where the polarization values of the templates (left) and the residuals (right).

Fitting parameters and RMS of residuals:

$k_0$	$\sigma_0/10^{-3} \mu\text{K}$	$k_1$	$\sigma_1/10^{-3} \mu\text{K}$
1.004	1.339	1.205	2.115

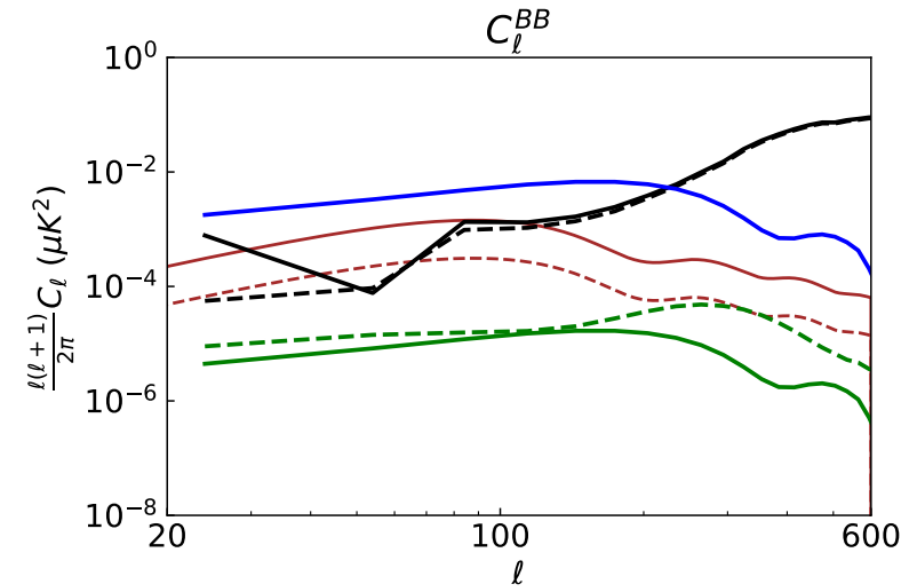
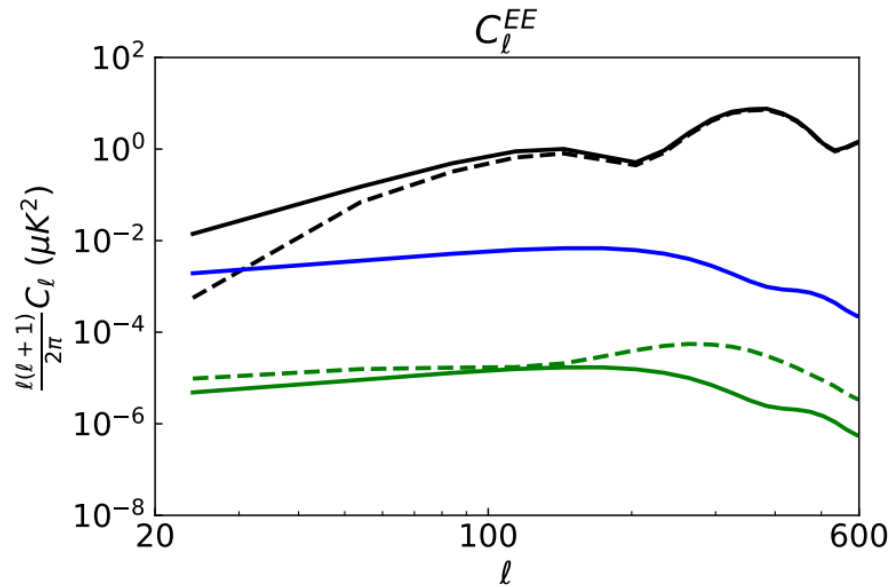
RMS of other signals ( $\mu\text{K}$ ):

$\sigma_{d'c}$	$\sigma_{d'f}$	$\sigma_{n'}$
0.334	0.027	0.121

Conclusion:

- For ideal template, the fitting parameter is close to 1. For realistic template, it is a little greater than 1.
- The leakage of point source has a diffused star-like structure, and the residual is much weaker.

# Single point source (known polarization direction)



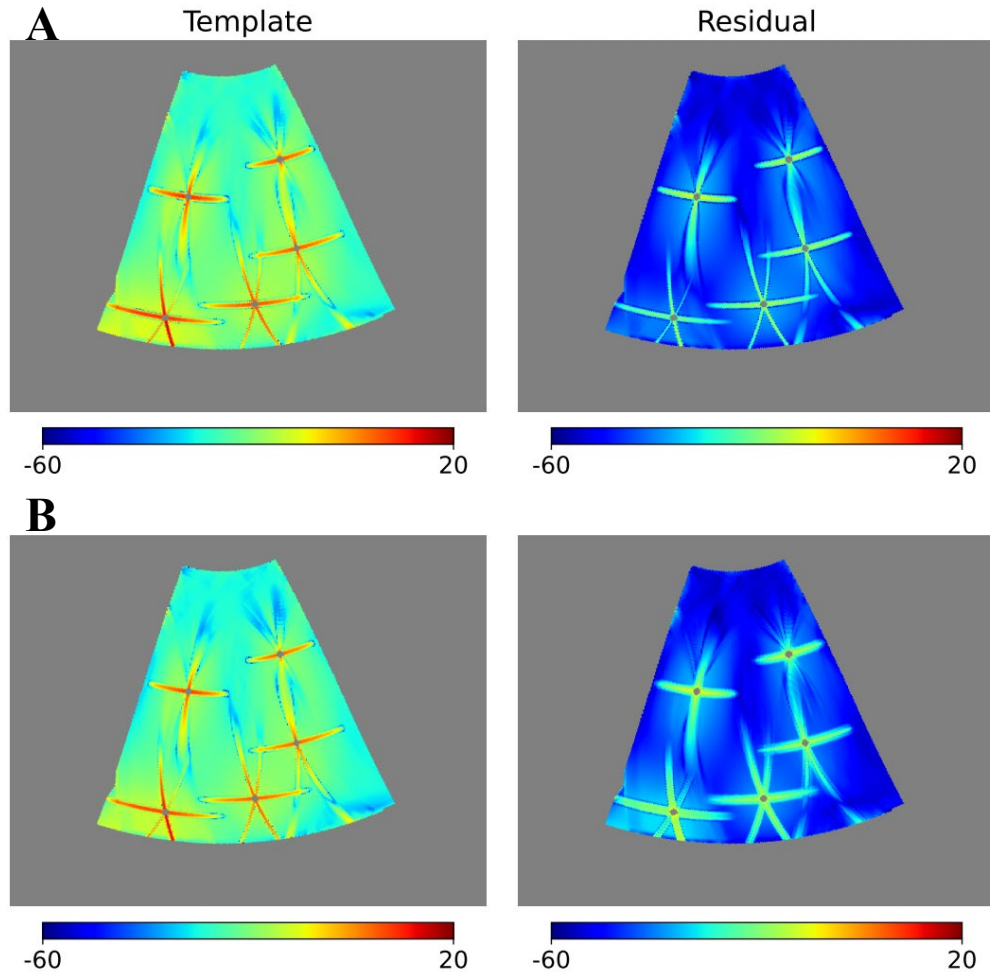
The  $EE$  and  $BB$  power spectra ( $r = 0.023$ ) including: input and filtered CMB (black solid/dashed respectively), residuals after the leakage removal with the ideal and realistic templates (green solid/dashed respectively), the true leakage (blue), and unlensed CMB  $BB$  spectra with  $r = 0.023$  (red solid) and  $r = 0.005$  (red dashed) as references.

## Conclusion:

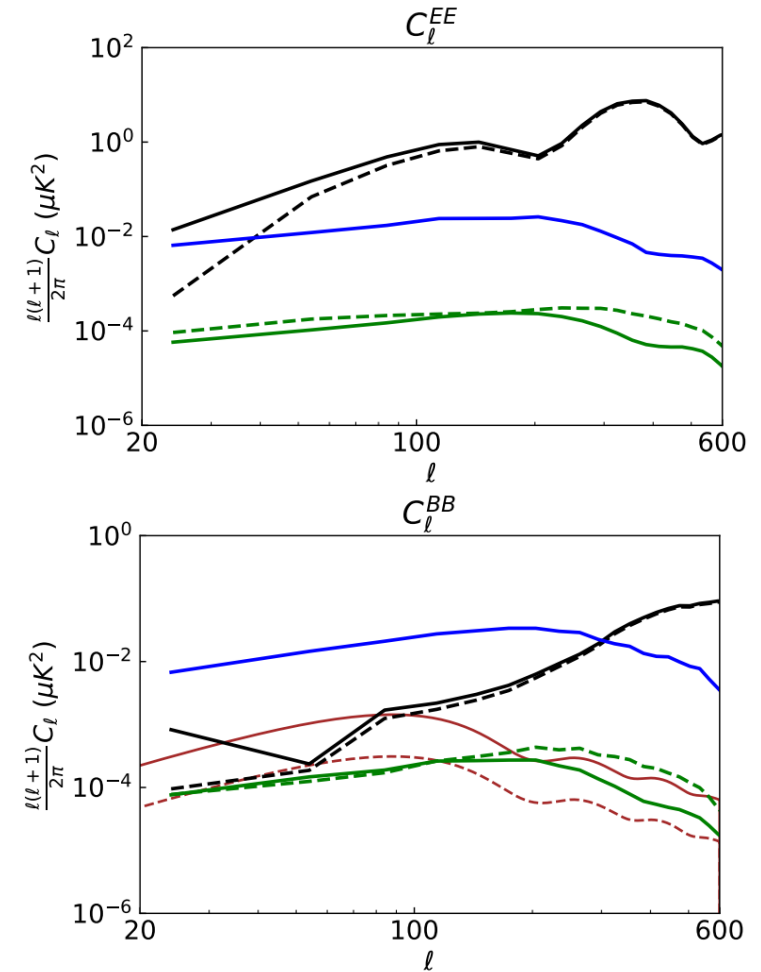
- The residual spectra are 2 or 3 orders of magnitudes lower than that of the true leakage.
- The residual spectra are much smaller than both of the lensed and unlensed CMB spectra.



# Multiple point sources (unknown polarization direction)

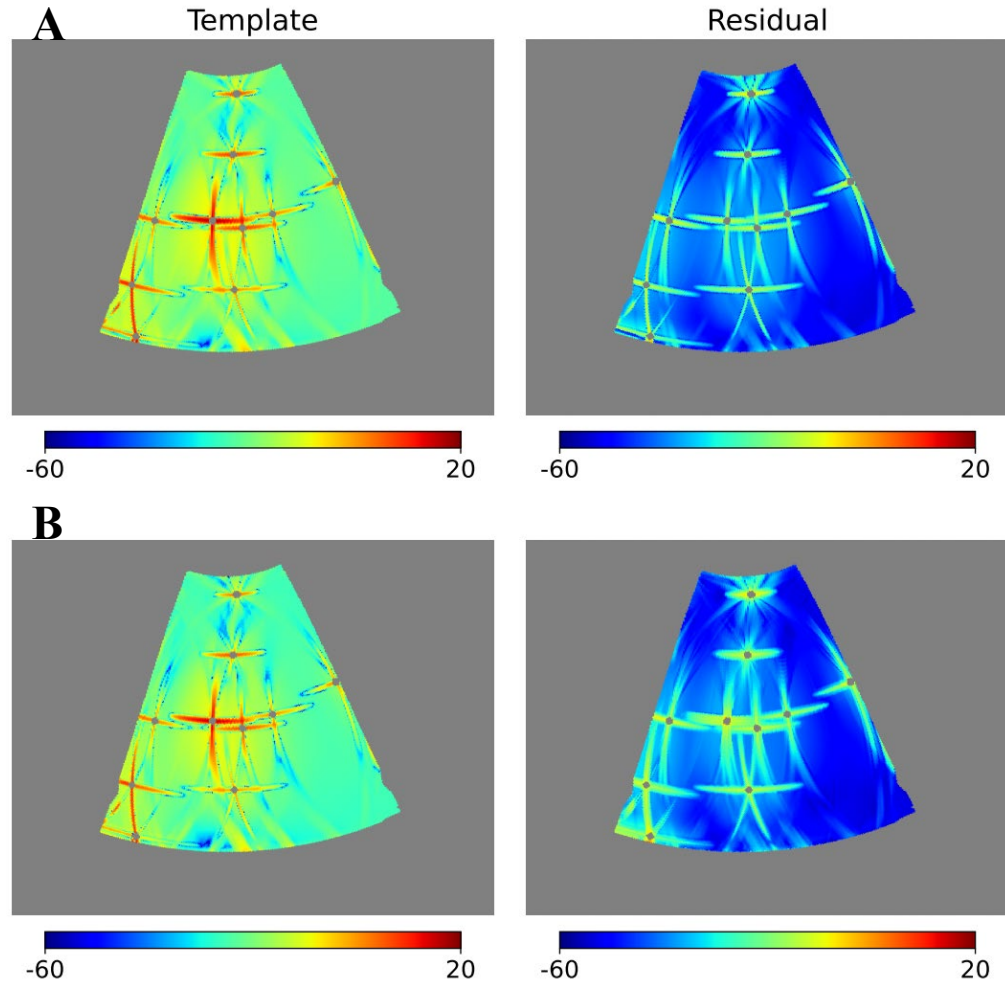


Comparison of results for  $r = 0.023$ , obtained using the ideal template (A) and the realistic template (B), where the polarization values of the templates (left) and the residuals (right).

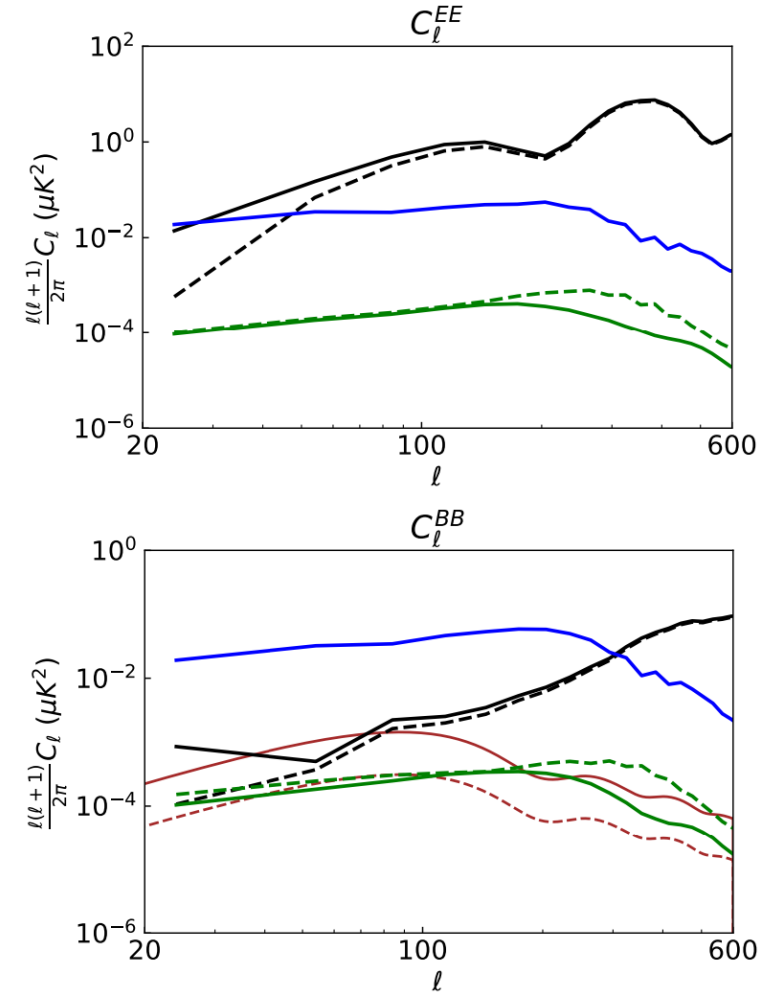


The  $EE$  and  $BB$  power spectra for the case of multiple point sources with unknown polarization direction.

# Actual point sources (unknown polarization direction)



Comparison of results for  $r = 0.023$ , obtained using the ideal template (A) and the realistic template (B), where the polarization values of the templates (left) and the residuals (right).



The  $EE$  and  $BB$  power spectra for the case of actual point sources with unknown polarization direction.



# Conclusion

- The point source leakage is typically star-like, and it produces certain contamination to the detection of CMB.
- A novel “template-fitting” method is introduced for removing the point source leakage due to time-order data filtering.
- The leakage after “template fitting” can be reduced by 1-2 orders of magnitude in the pixel domain, and by 3-4 orders of magnitude in angular power spectrum.
- The residual  $BB$  spectrum is about 2 orders of magnitudes lower than the theoretical prediction for the primordial gravitational waves with  $r \sim 10^{-2}$  (lensed). And by comparing with the unlensed spectrum with  $r = 0.005$ , we can see that our method can at least work with  $r = 0.005$ .